

Kaonic nuclei: progress and prospects at J-PARC



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on behalf of the J-PARC E15/E31/E73/E80/E89 collaboration

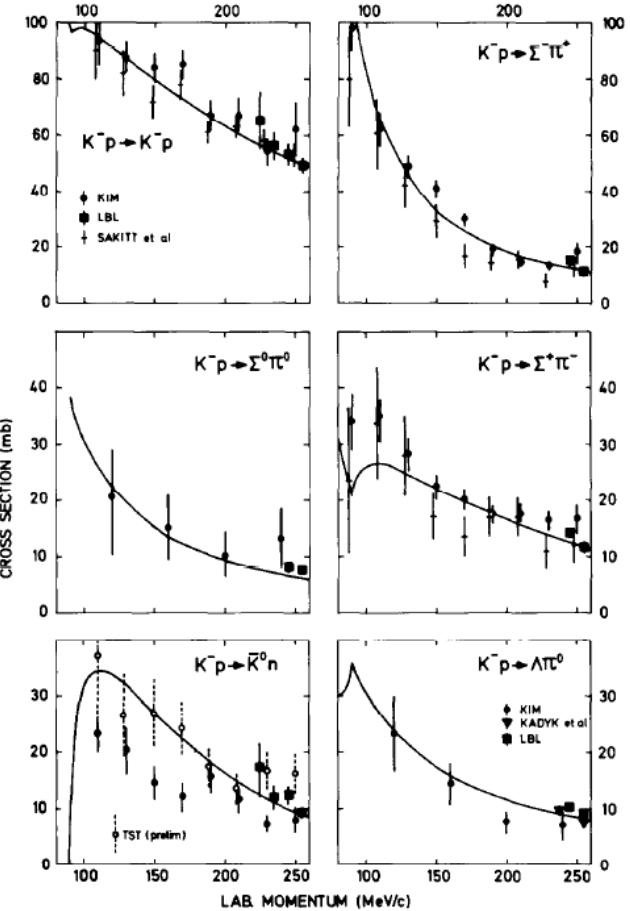


Workshop on Fundamental Physics
with Exotic Atoms

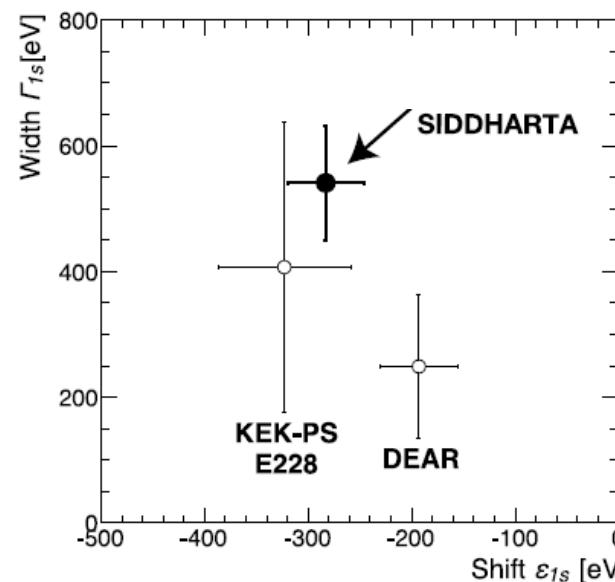
23–25 Jun 2025,
INFN-LNF, Frascati

$\bar{K}N$ Interaction and $\Lambda(1405)$

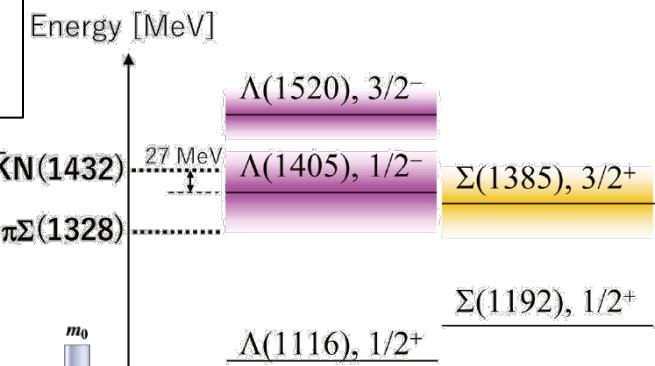
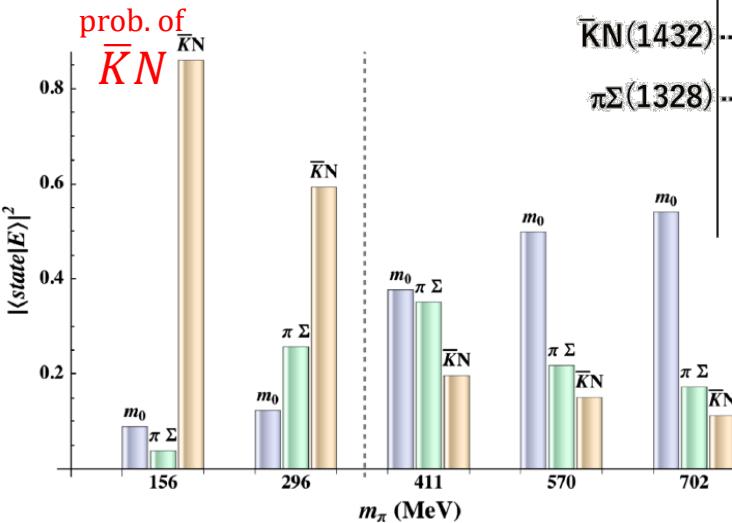
K⁻p scattering
NPB179(1981)33.



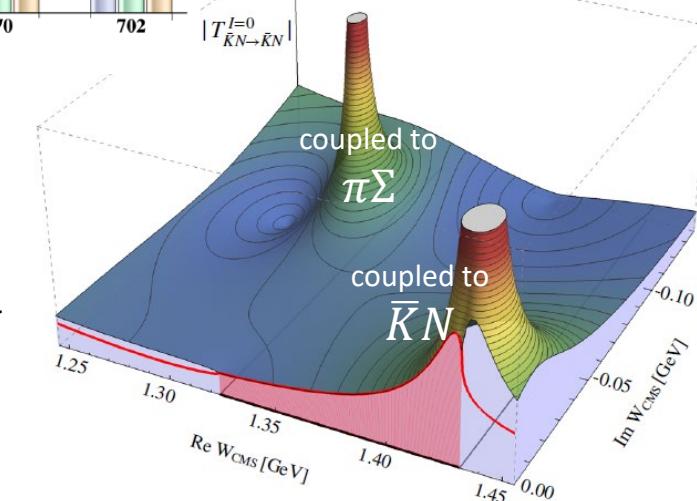
K⁻p atom
PLB704(2011)113.



$\Lambda(1405)$ in LQCD
RPL114(2015)132002.



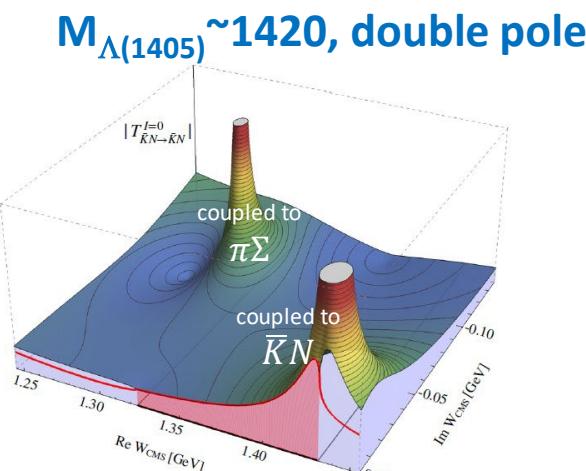
$\Lambda(1405)$ in chiral unitary model
EPJ ST230(2021)1593.



- ✓ strongly attractive $\bar{K}N$ int. in I=0
- ✓ $\Lambda(1405)$ = quasi-bound state of $\bar{K}N$

Theoretical Calculations of $\bar{K}NN$

Chiral unitary model
(energy dependent)

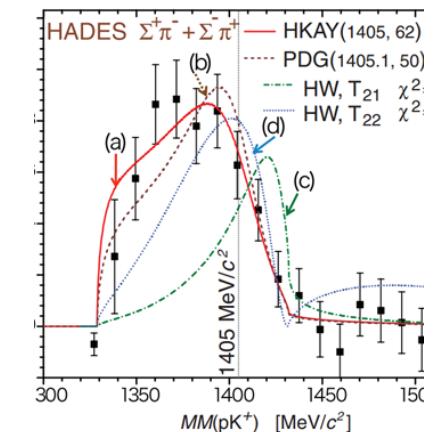


shallow $\bar{K}N$ potential

B.E. $\sim 10\text{-}30$ MeV

Phenomenological model
(energy independent)

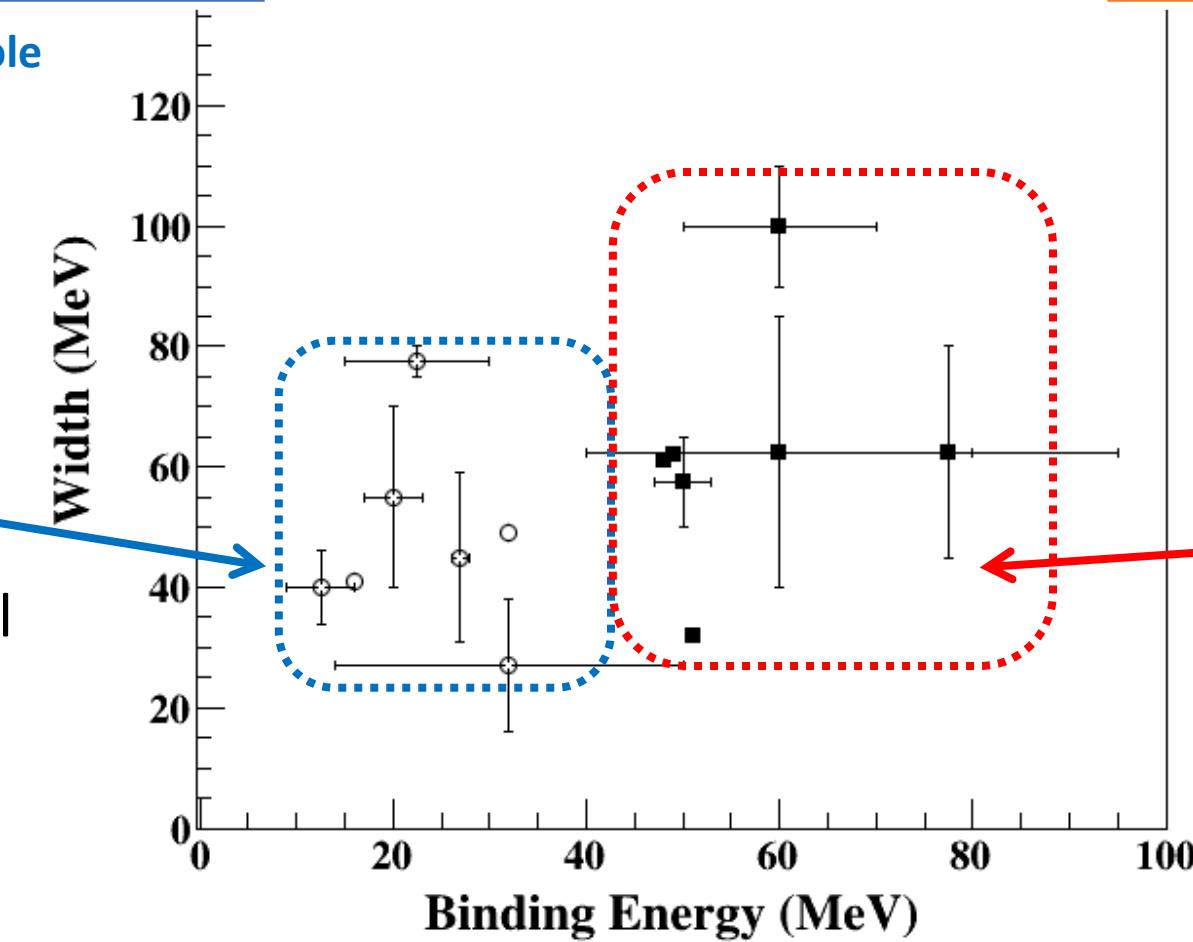
$M_{\Lambda(1405)} \sim 1405$, single pole



deep $\bar{K}N$ potential

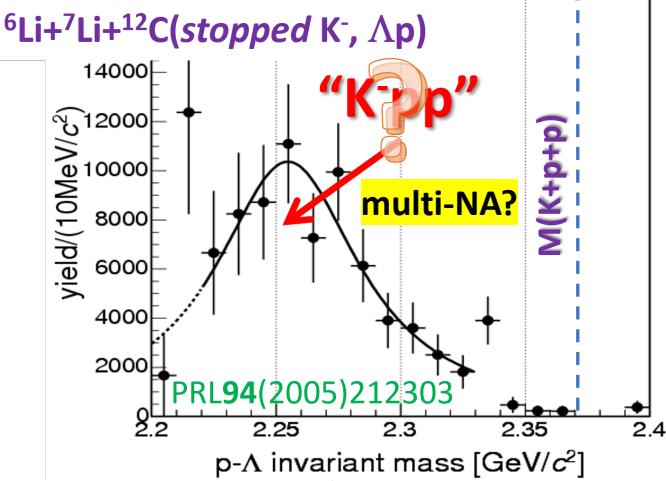
B.E. $\sim 40\text{-}70$ MeV

suggesting a more compact
and dense system

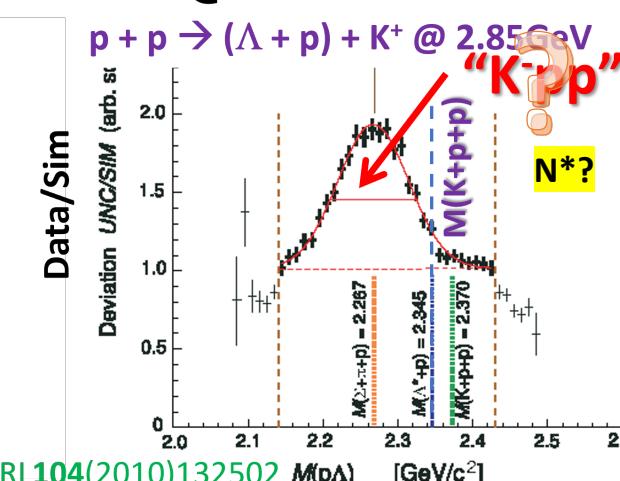


“K-pp” Bound State Searches

FINUDA@DAΦNE



DISTO@SATURNE



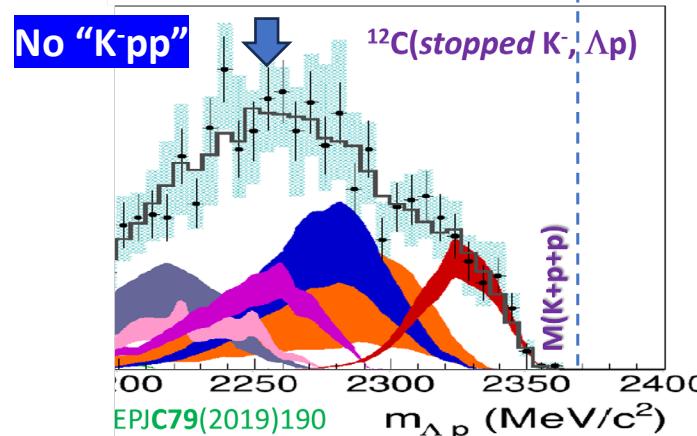
E27@J-PARC



LEPS@SPring-8



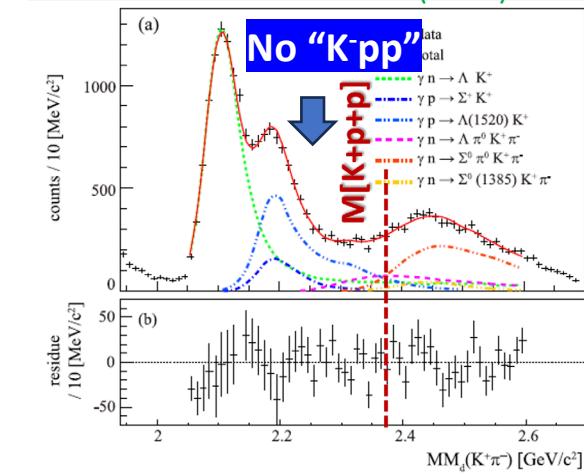
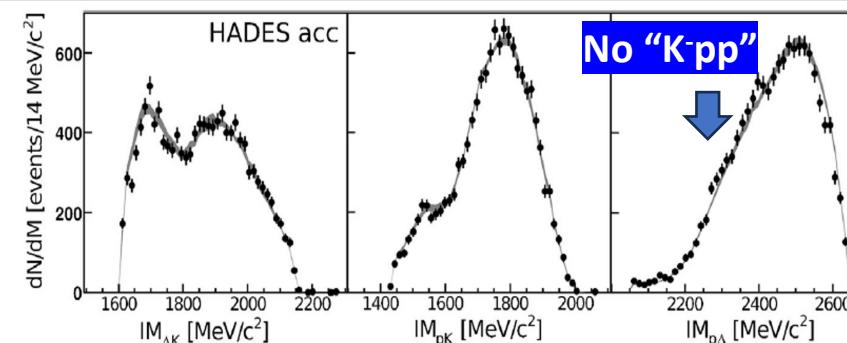
AMADEUS@DAΦNE



HADES@GSI



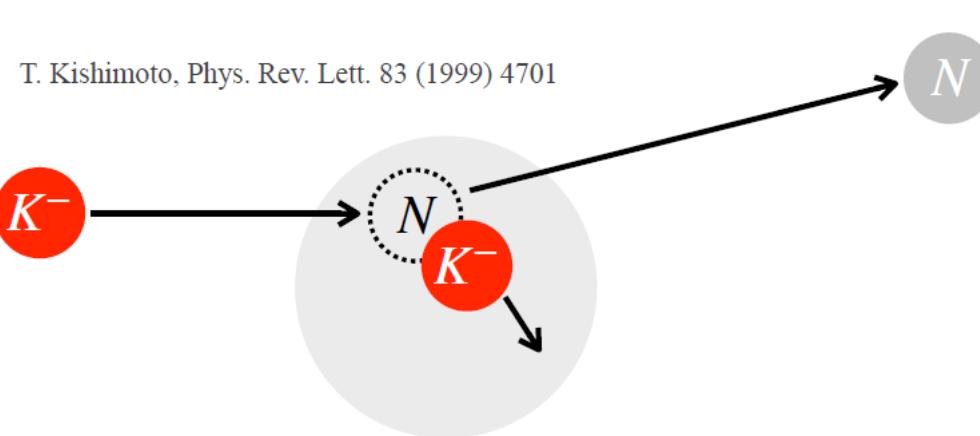
PLB742(2015)242



- Despite of many “K-pp” searches, NO conclusive results
 - Complex reactions & difficult to understand background

Experimental Investigations at J-PARC

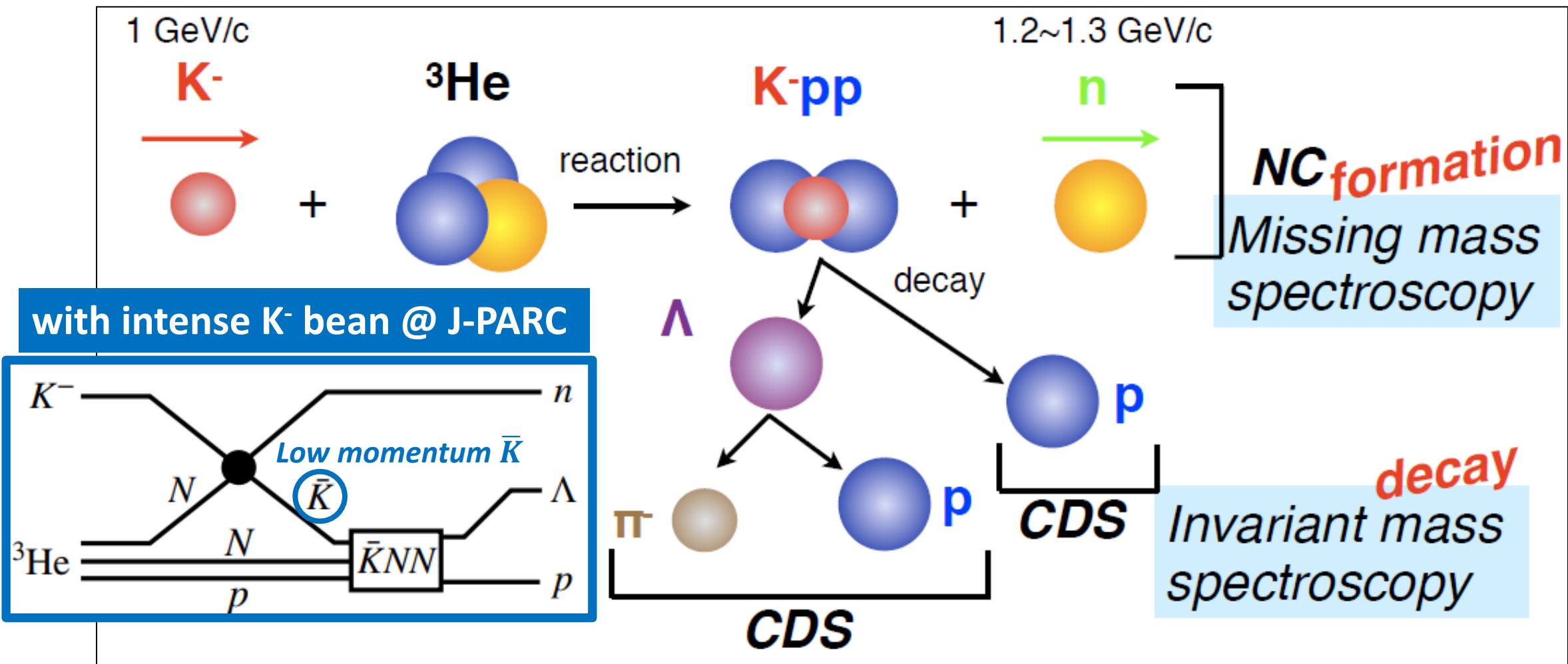
– *via in-flight (K -, n) reactions –*



“K-pp” Search @ J-PARC E15

^3He (*in-flight* K $^-$,n) reaction @ 1.0 GeV/c

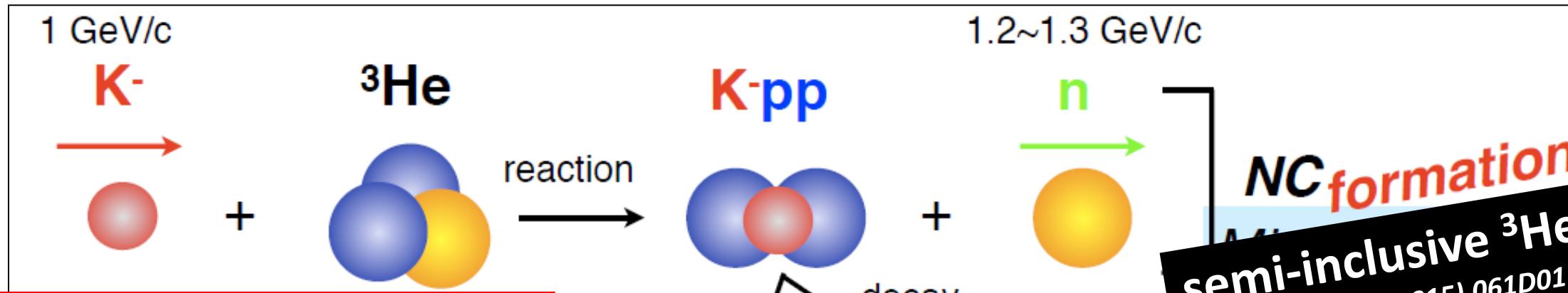
multi-NA and Y decays can be discriminated kinematically



“K-pp” Search @ J-PARC E15

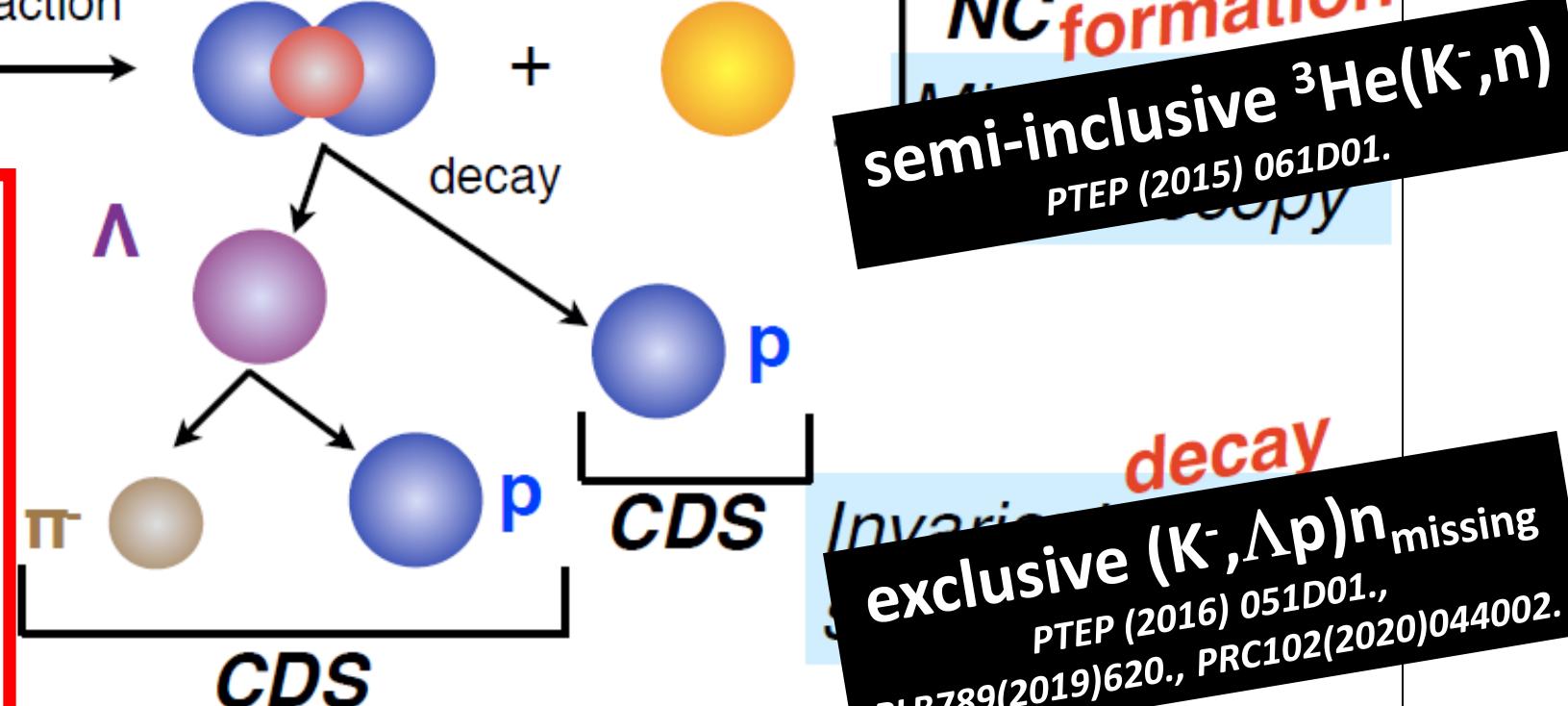
${}^3\text{He}$ (*in-flight K⁻,n*) reaction @ 1.0 GeV/c

😊 multi-NA and Y decays can be discriminated kinematically



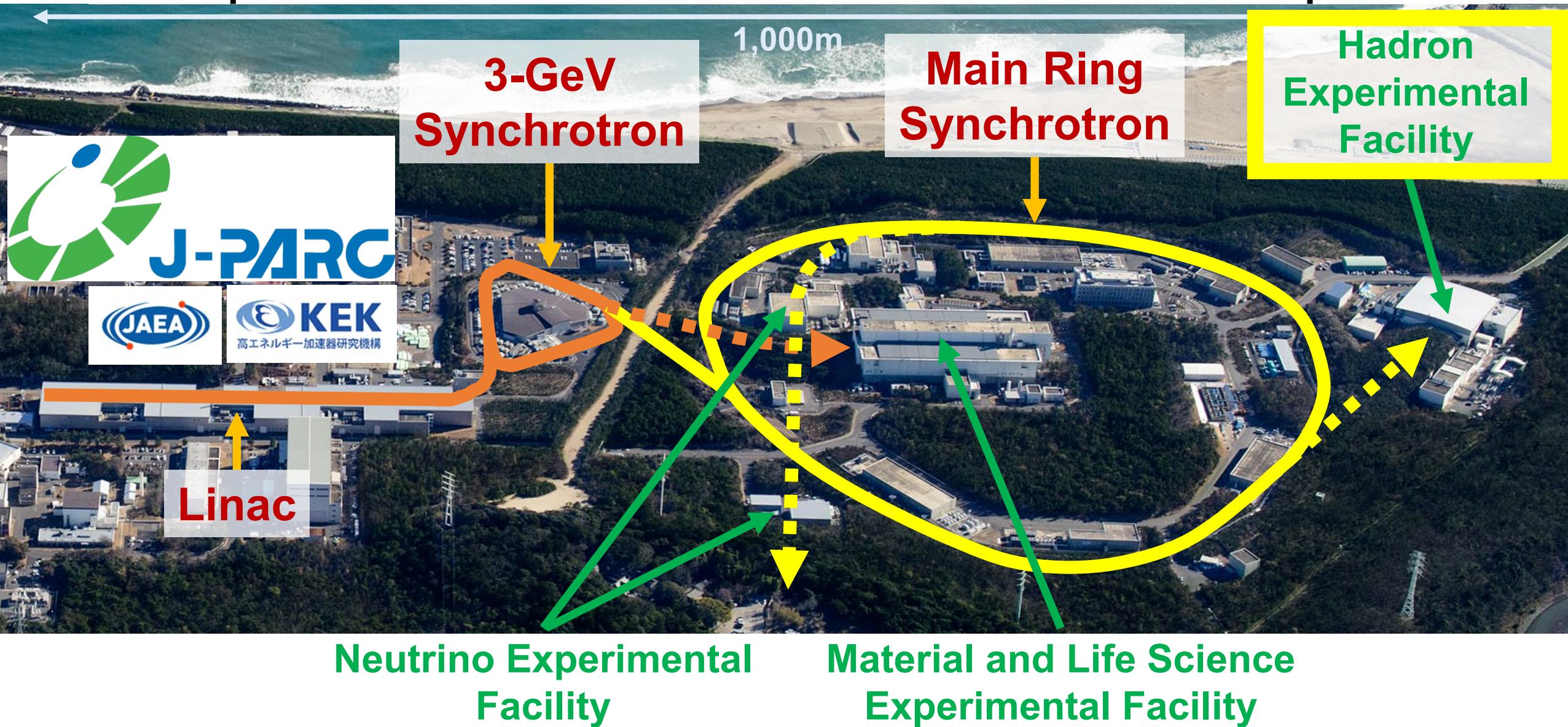
Key points of the experiment

- ① Strongly excite below $M(\bar{K}NN)$ using (K^-, n) reaction
- ② Identify all the final states of the reaction
- ③ Covers a wide range of kinematics

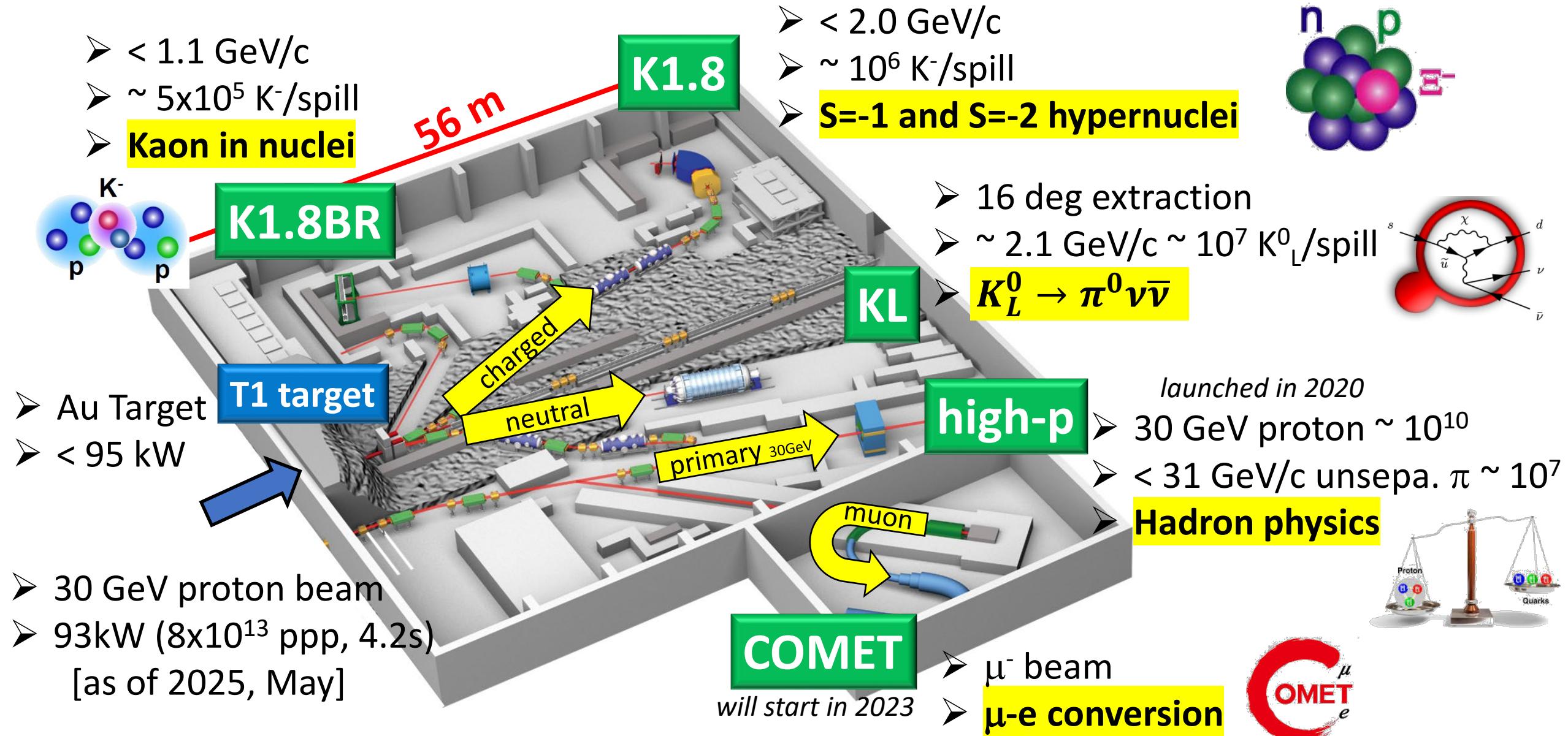


J-PARC

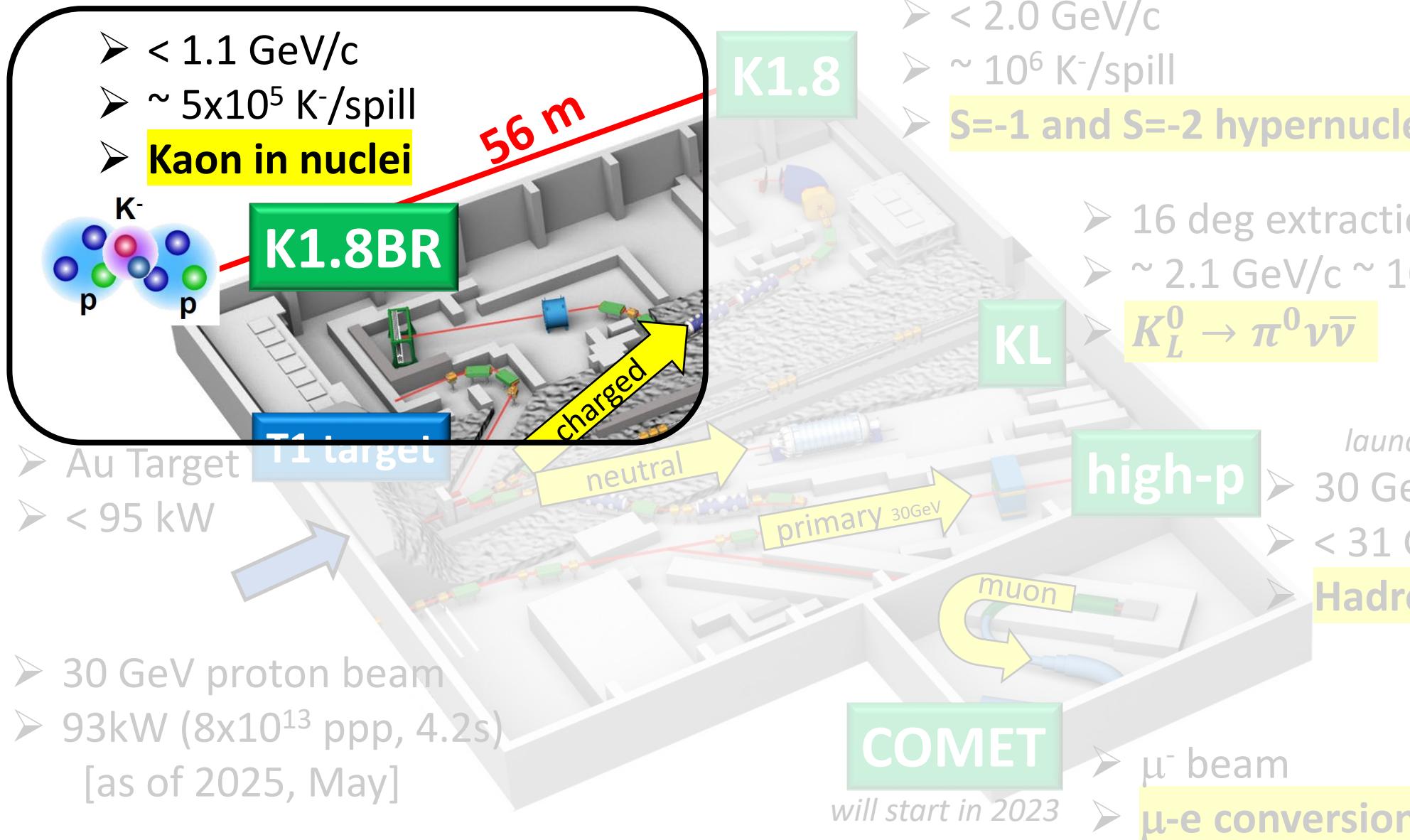
Japan Proton Accelerator Research Complex



Hadron Experimental Facility (HEF)

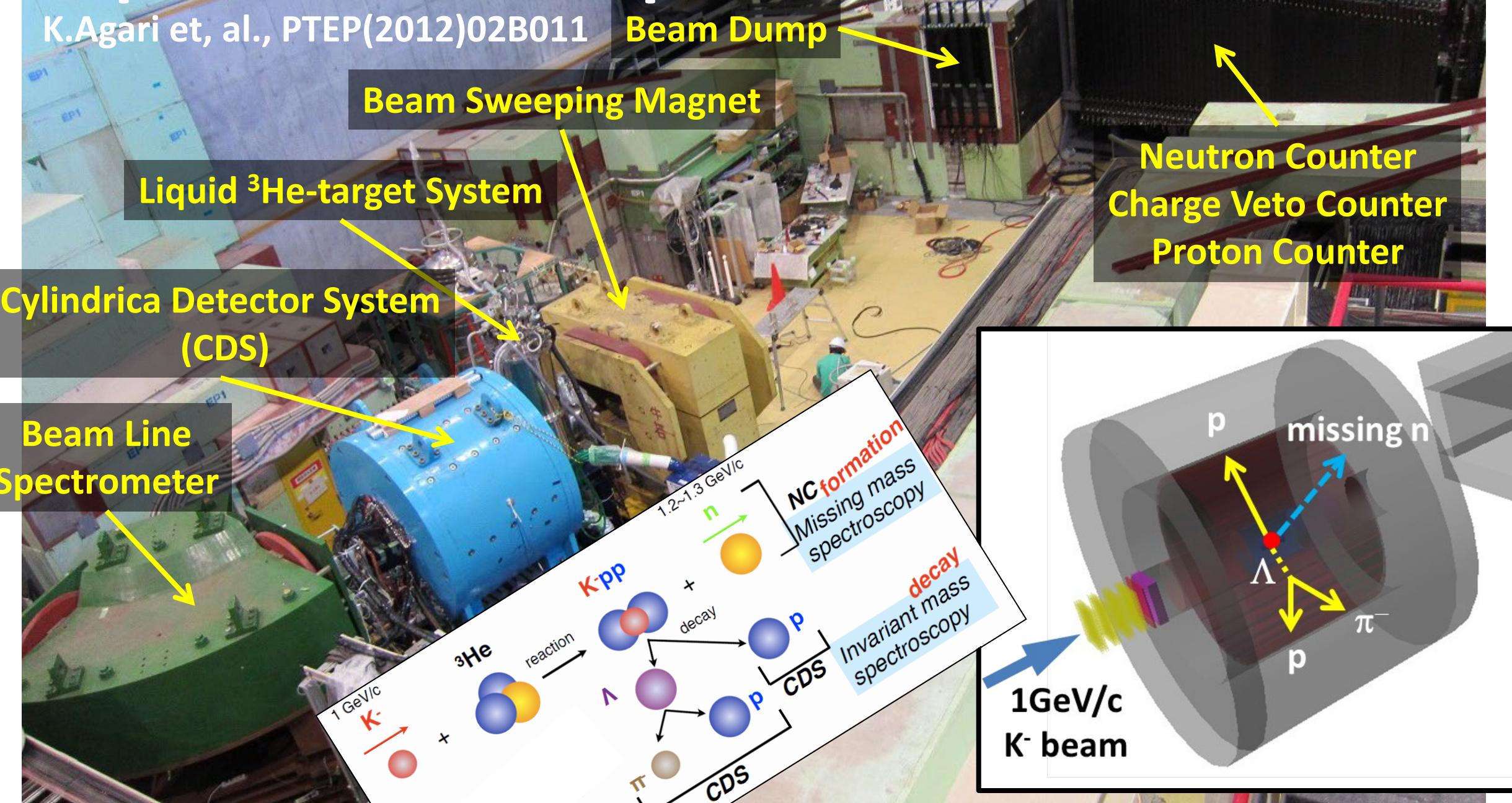


Hadron Experimental Facility (HEF)

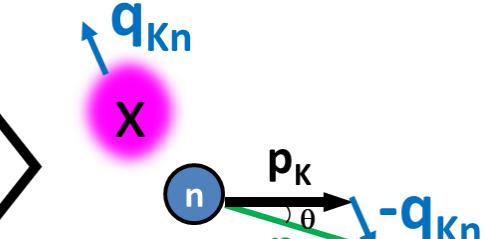
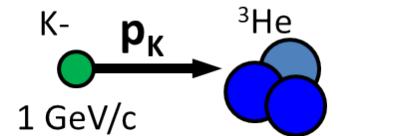


Experimental Setup @ K1.8BR

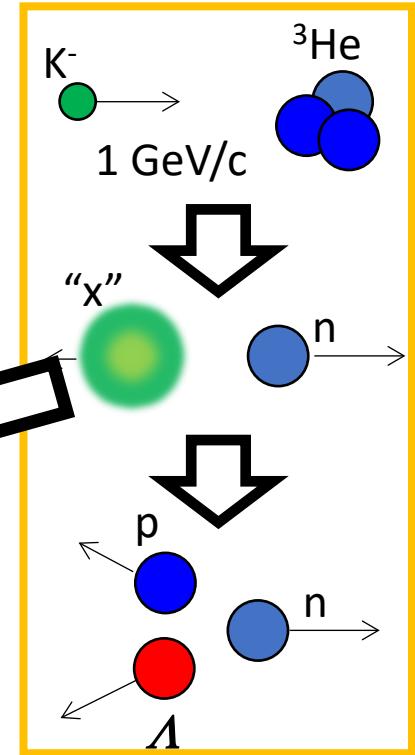
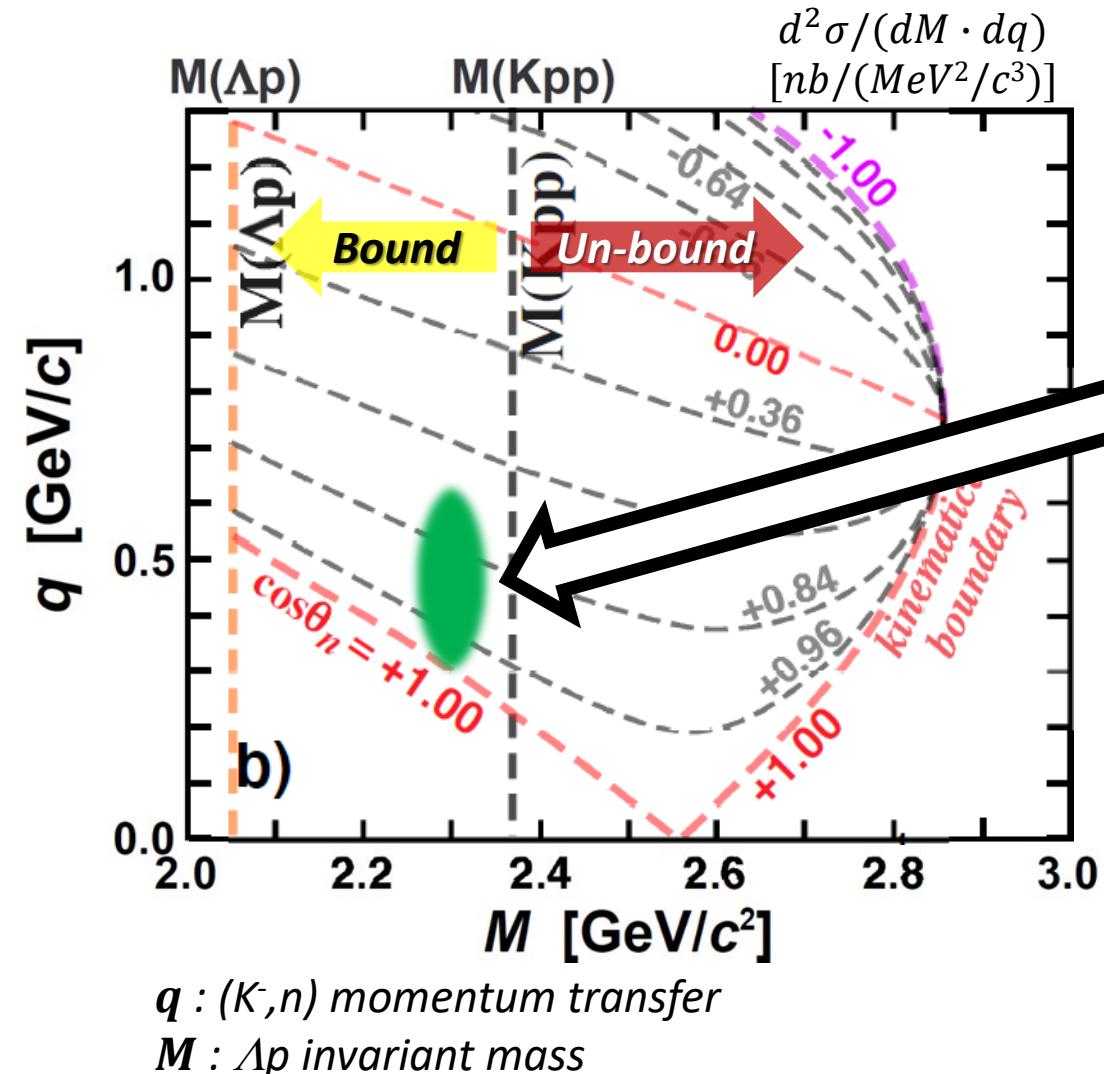
K.Agari et, al., PTEP(2012)02B011



“K-pp” Search w/ Momentum Transfer Analysis

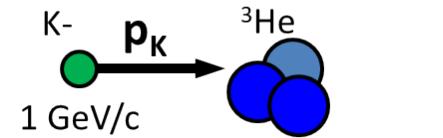


- Momentum transfer analysis using the (K^-, n) reaction
- ✓ $M(\Lambda p)$ vs. q
- ✓ give a clear information on reaction processes

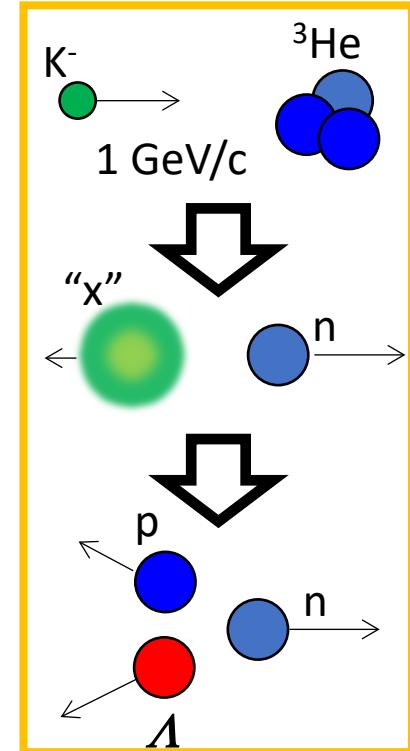
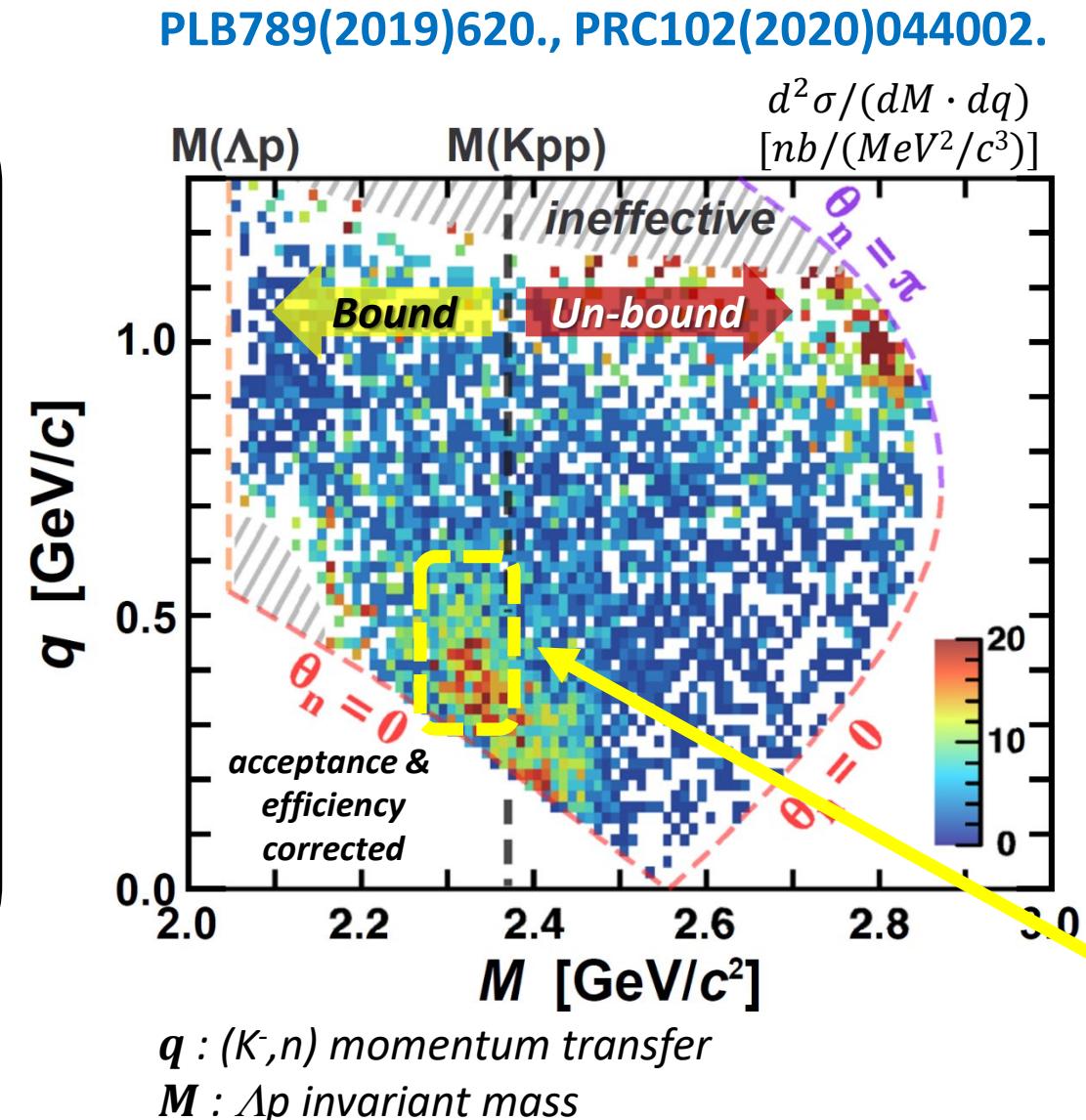


If a **bound state** exists, there is a peak structure **independent of q** below the $M(Kpp)$

“K-pp” Search w/ Momentum Transfer Analysis

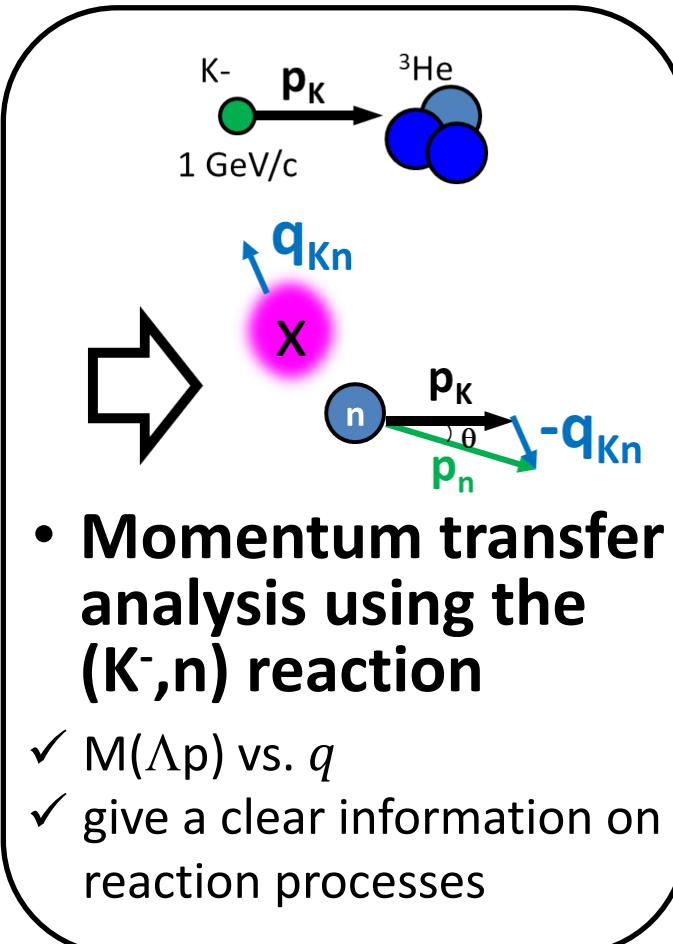


- Momentum transfer analysis using the (K^- , n) reaction
 - $\checkmark M(\Lambda p)$ vs. q
 - \checkmark give a clear information on reaction processes

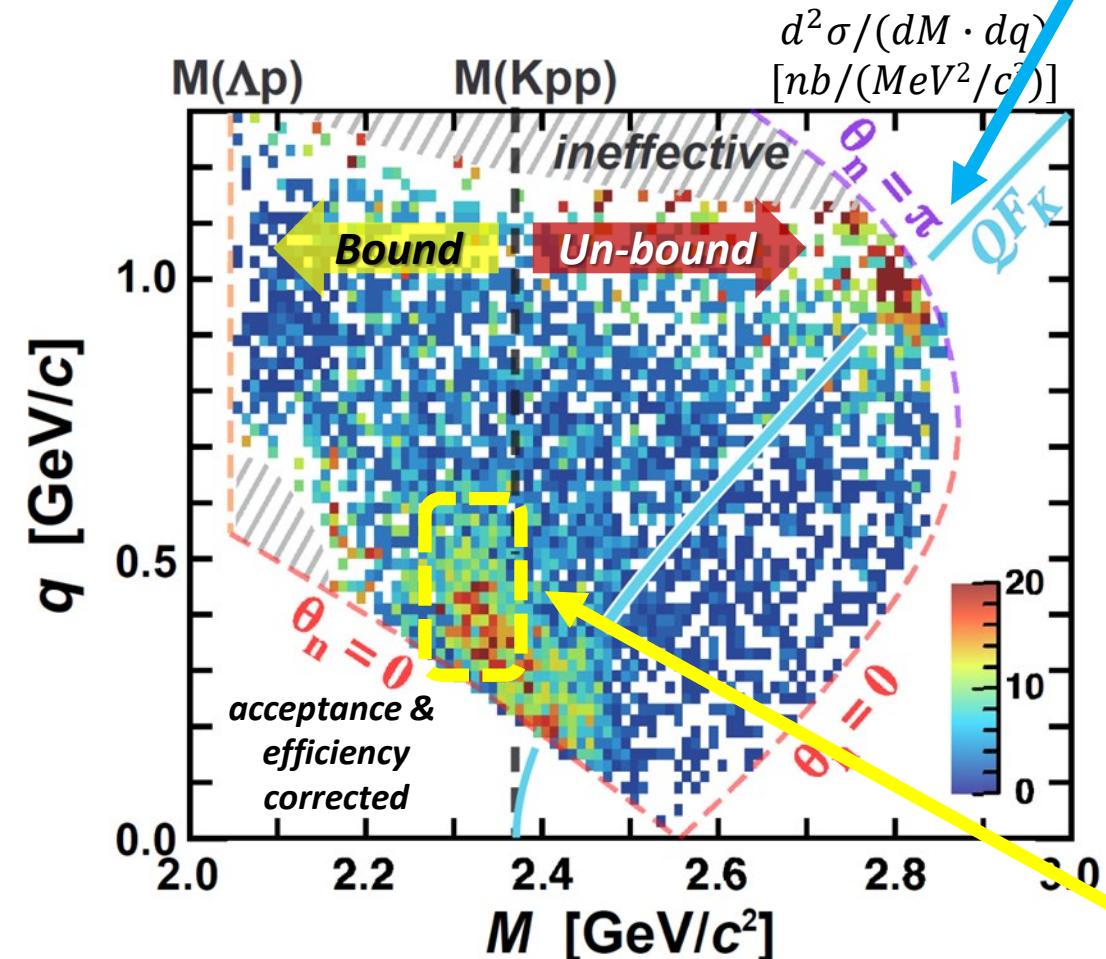


A peak structure independent of $q =$
A bound state exists

“K-pp” Search w/ Momentum Transfer Analysis

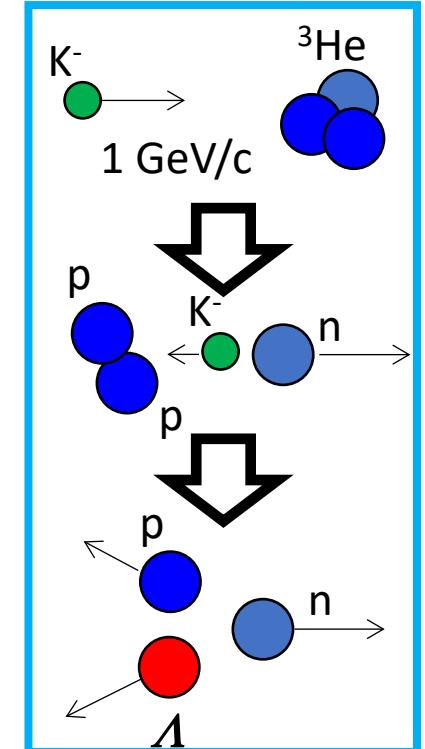


PLB789(2019)620., PRC102(2020)044002.



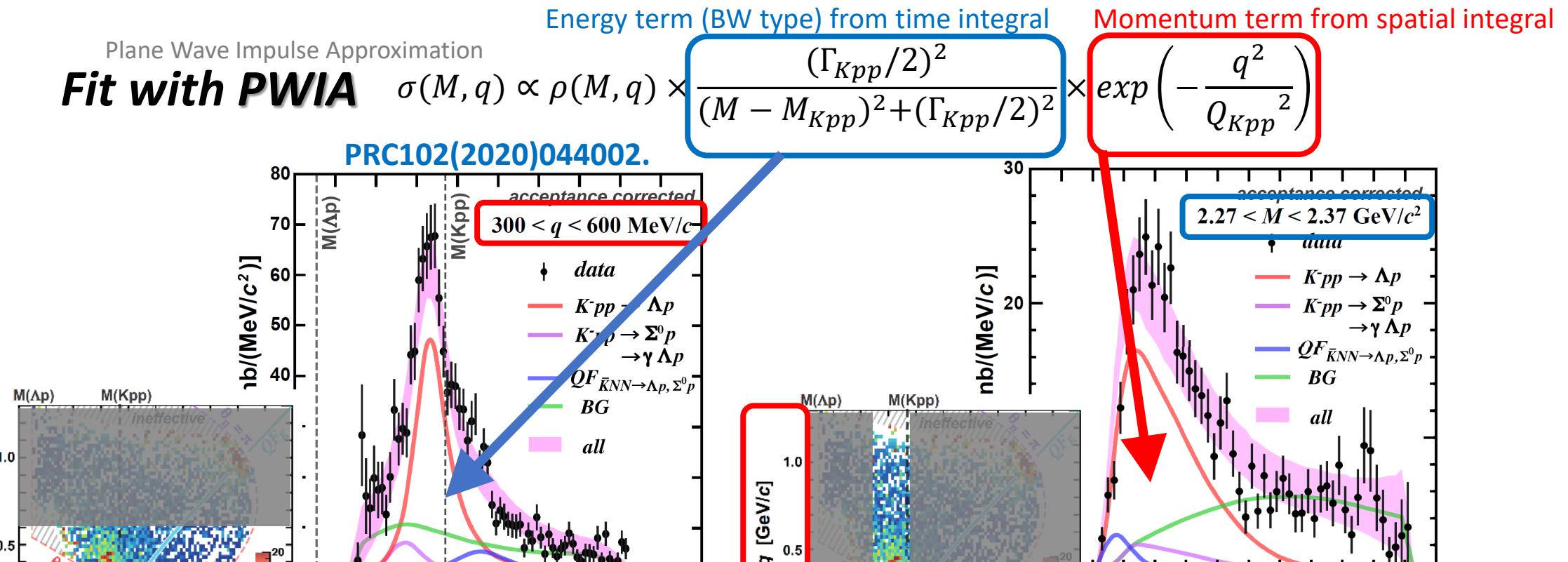
q : (K^-, n) momentum transfer
 M : Λp invariant mass

Quasi-free K^- scattering
(+2NA absorption)



A peak structure
independent of $q =$
A bound state exists

A PWIA-based Interpretation



Deep binding = Strong $K^{\bar{N}}$ int.
 $B_{Kpp}(\text{BW}) \sim 40 \text{ MeV}, \Gamma_{Kpp}(\text{BW}) \sim 100 \text{ MeV}$

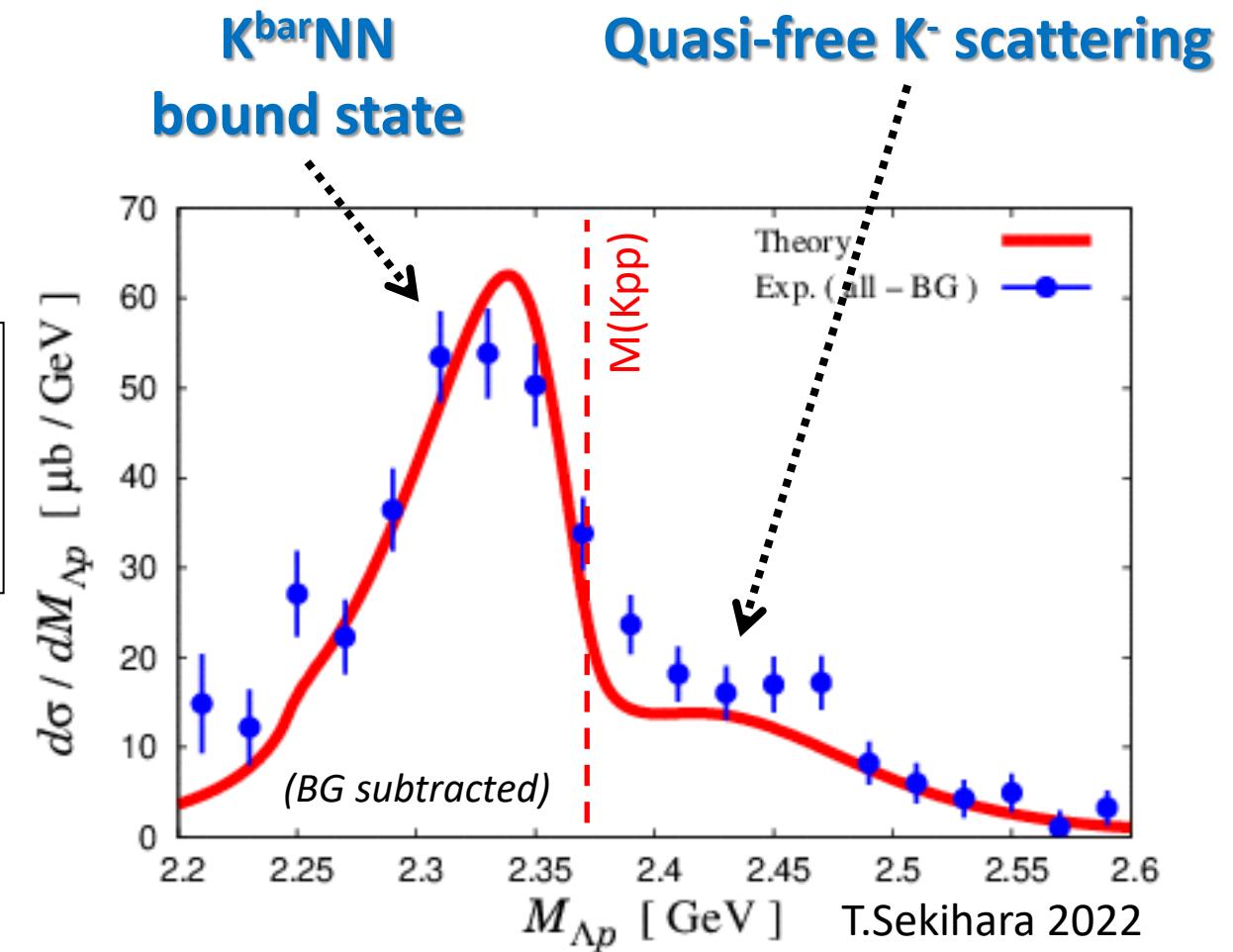
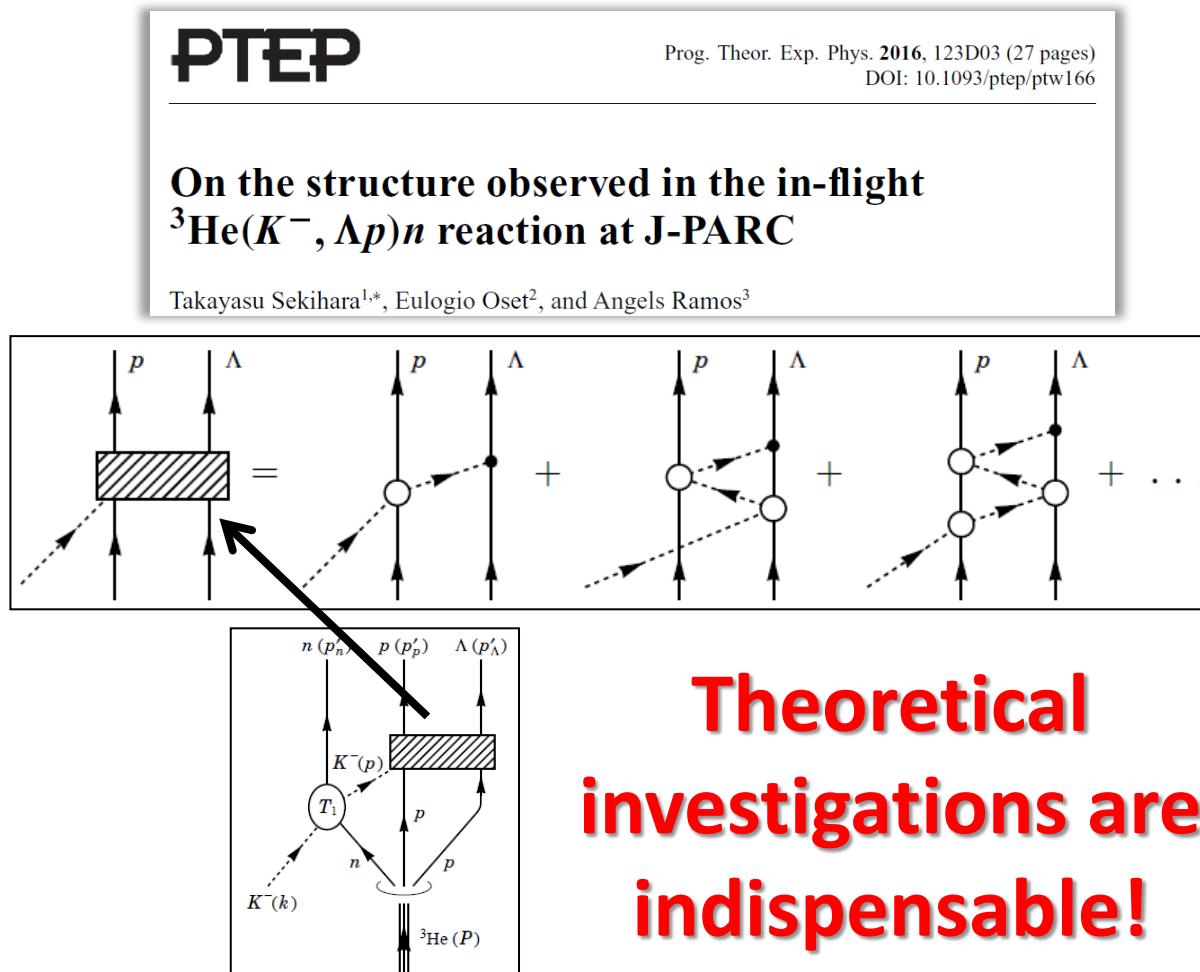
Binding energy Decay width

Large Q = Suggesting a compact system
 $Q_{Kpp} \sim 400 \text{ MeV}$

Form factor

A Theoretical Interpretation

A calculation based on chiral unitary approach
reproduces the data well using the $\bar{K}NN$ bound state



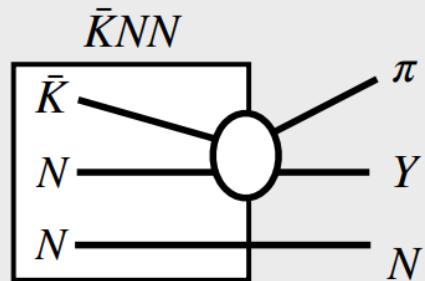
Mesonic Decay Modes of $\bar{K}NN$

- Mesonic decays will give us further information on $\bar{K}NN$

S. Ohnishi, et al.,
Phys. Rev. C 88 (2013) 025204.

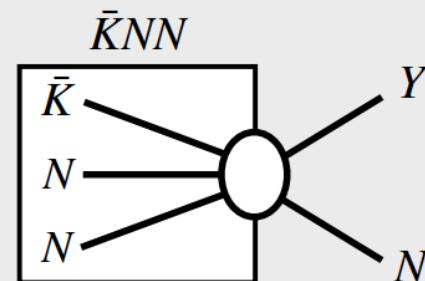
- ✓ internal structure
- ✓ $\bar{K}N$ interaction below the threshold $\Gamma_{YN} \ll \Gamma_{\pi YN}$

Mesonic

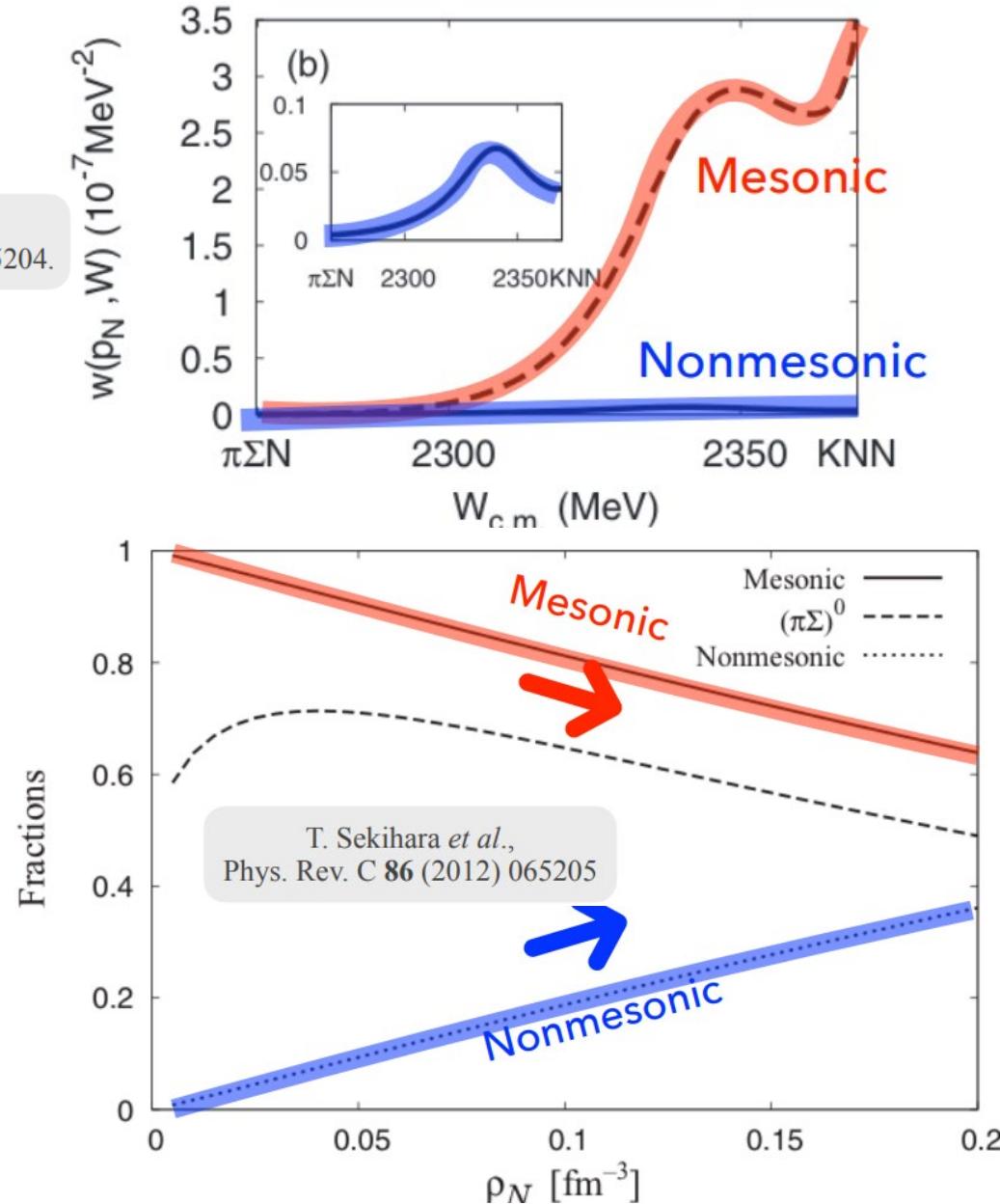


1N absorption

Non-mesonic

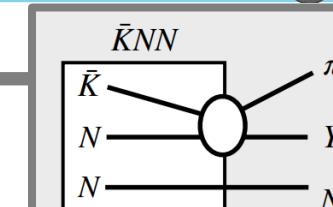
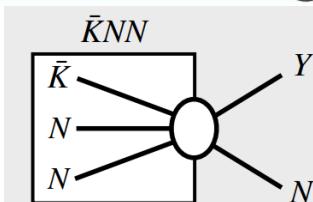
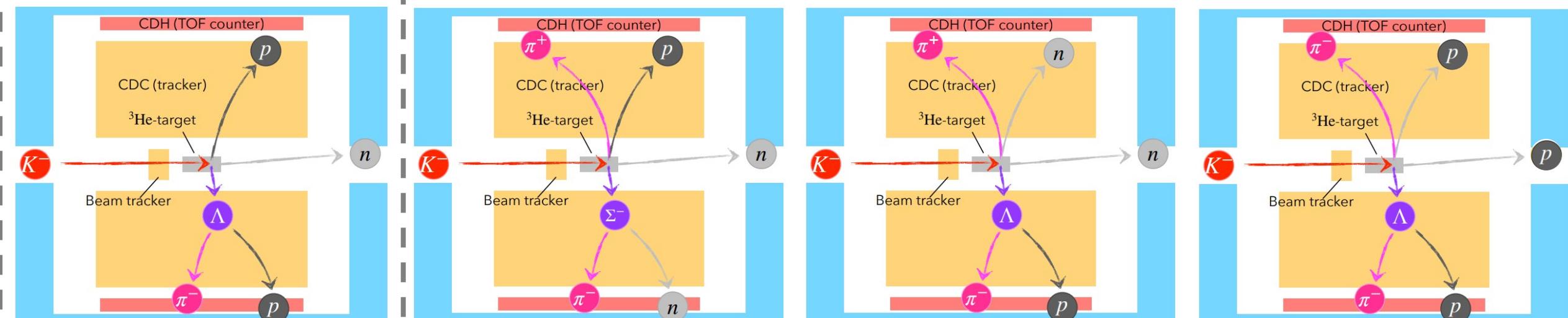
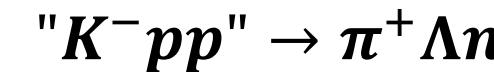
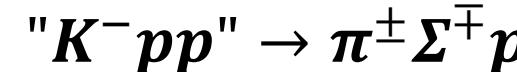
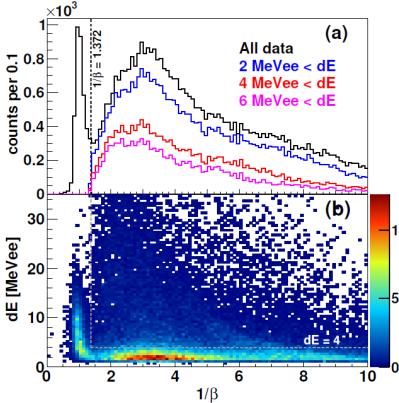


2N absorption



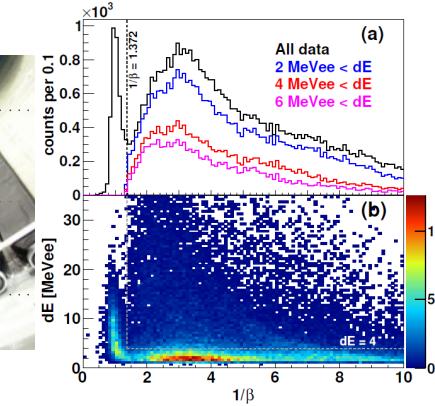
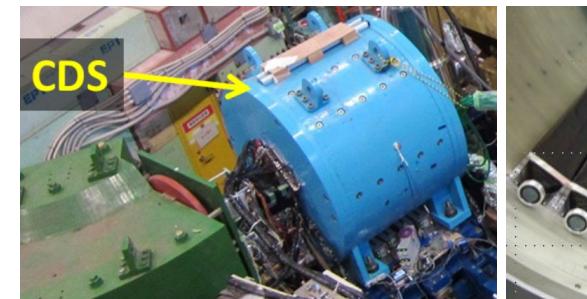
πYN Mesonic Decay Analysis

- with neutron detection using a thin scintillation counter array (CDH)
 - small efficiency (3~9%)
 - BG from the inner wall of the magnet



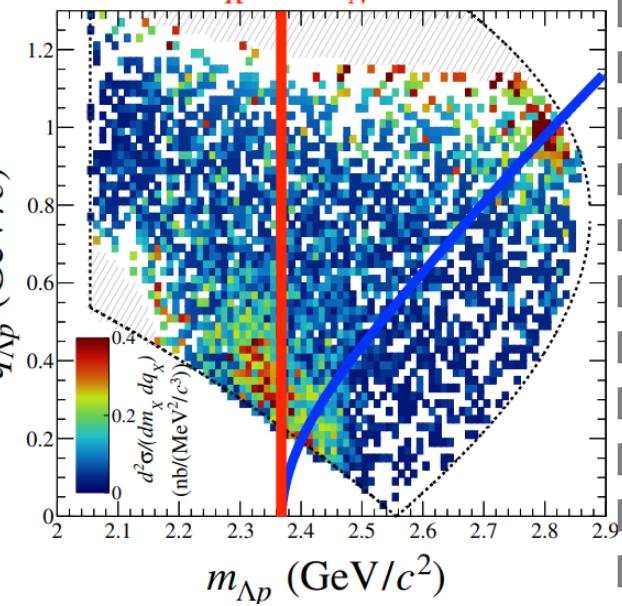
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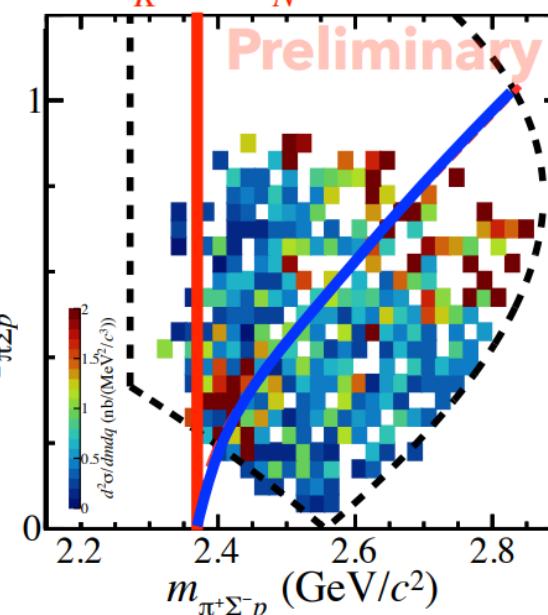
" $K^- pp \rightarrow \Lambda p$

$$m_{\bar{K}} + 2m_N$$



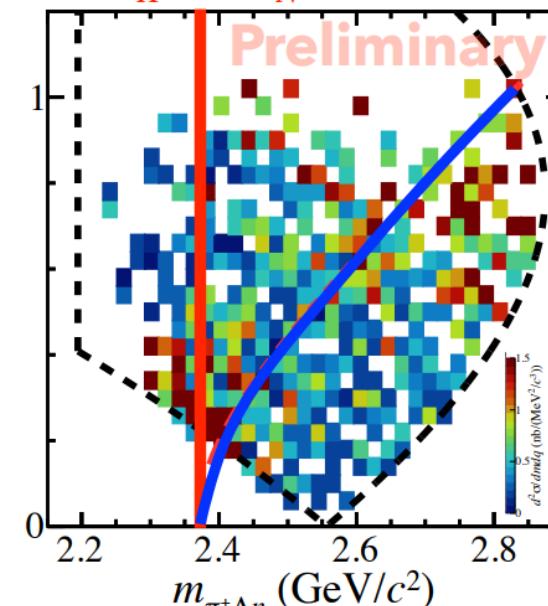
" $K^- pp \rightarrow \pi^\pm \Sigma^\mp p$

$$m_{\bar{K}} + 2m_N$$



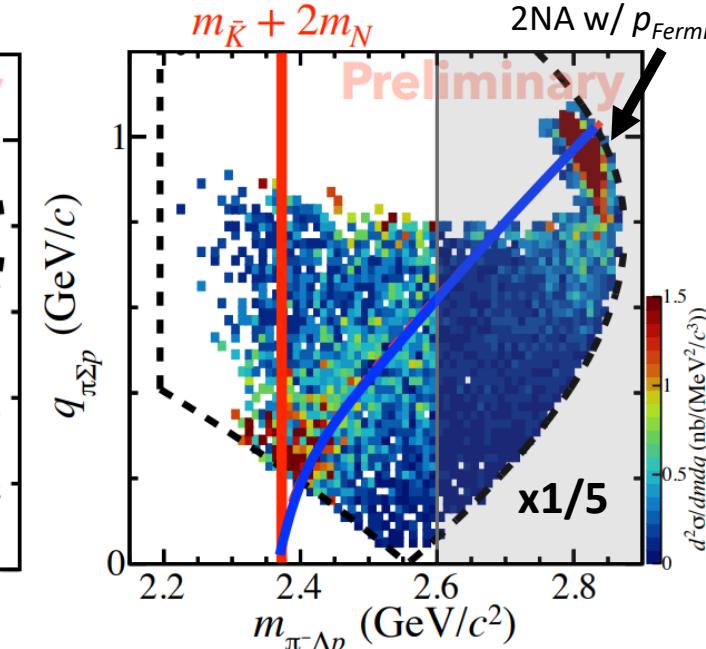
" $K^- pp \rightarrow \pi^+ \Lambda n$

$$m_{\bar{K}} + 2m_N$$



" $\bar{K}^0 nn \rightarrow \pi^- \Lambda p$

$$m_{\bar{K}} + 2m_N$$



Similar but not clear peak below M(KNN) due to the phase space

πYN Mesonic Decay Analysis

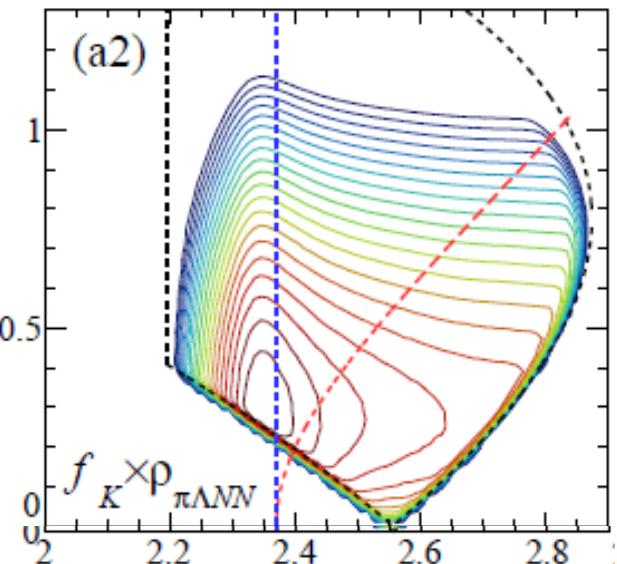
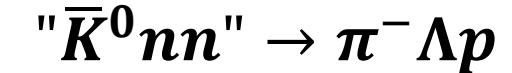
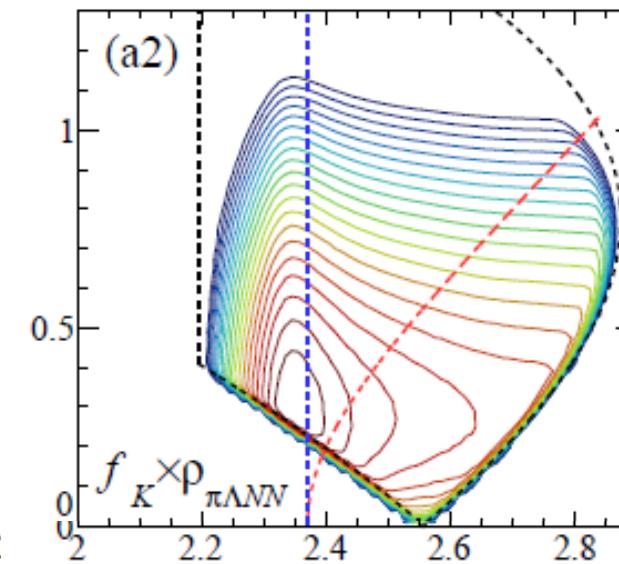
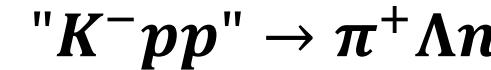
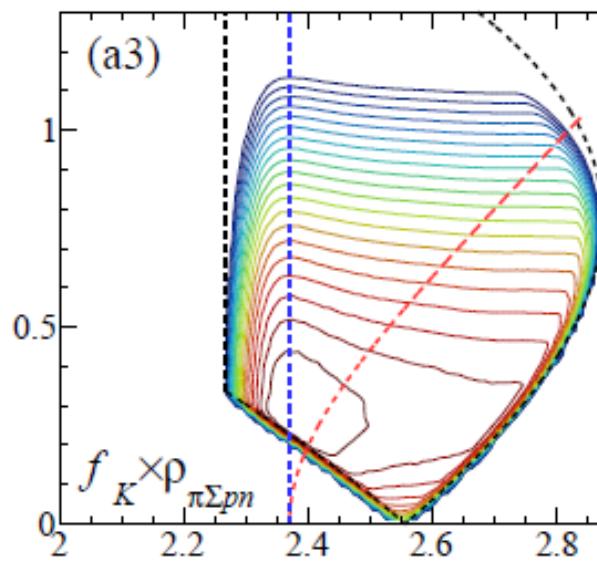
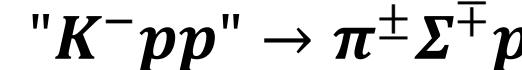
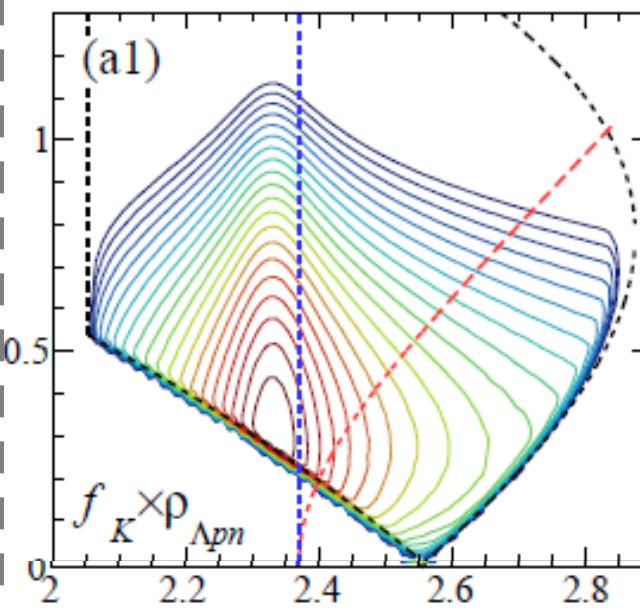
Plane Wave Impulse Approximation
Fit with PWIA

Phase space

$$\sigma(M, q) \propto \rho(M, q) \times \frac{(\Gamma_{Kpp}/2)^2}{(M - M_{Kpp})^2 + (\Gamma_{Kpp}/2)^2} \times \exp\left(-\frac{q^2}{Q_{Kpp}^2}\right)$$

Momentum term from spatial integral

Energy term (BW type) from time integral



Employ the same model func. for KNN & QF, with each phase space

πYN Mesonic Decay Analysis

Plane Wave Impulse Approximation
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Phase space

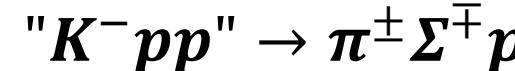
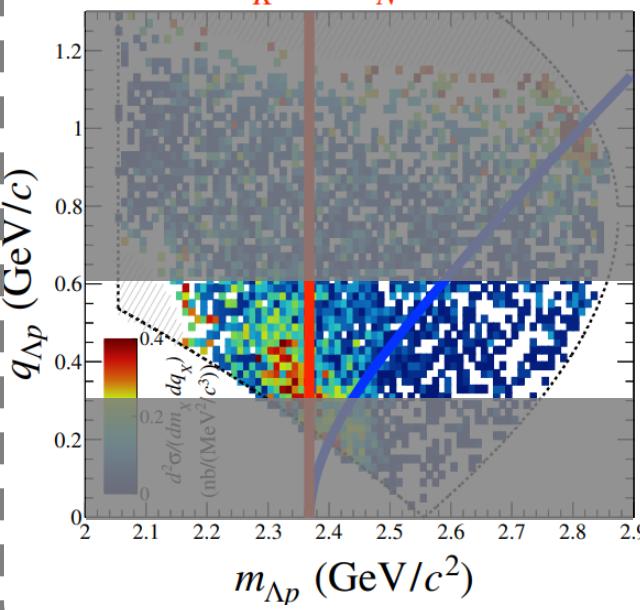
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Momentum term from spatial integral

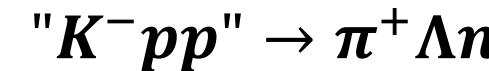
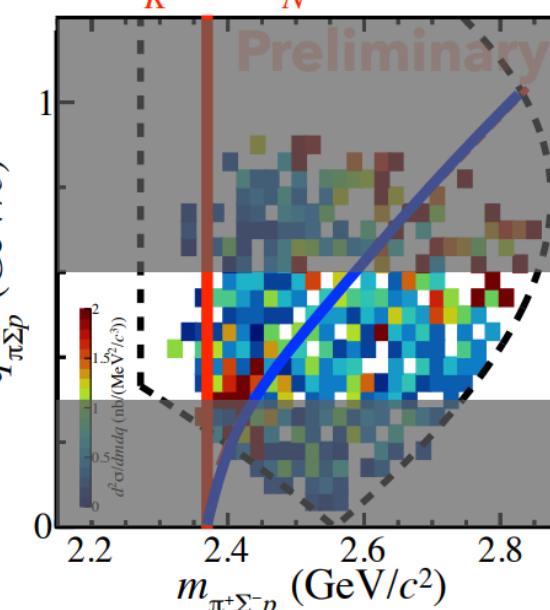
Energy term (BW type) from time integral



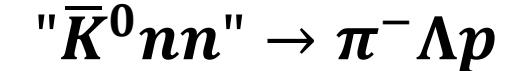
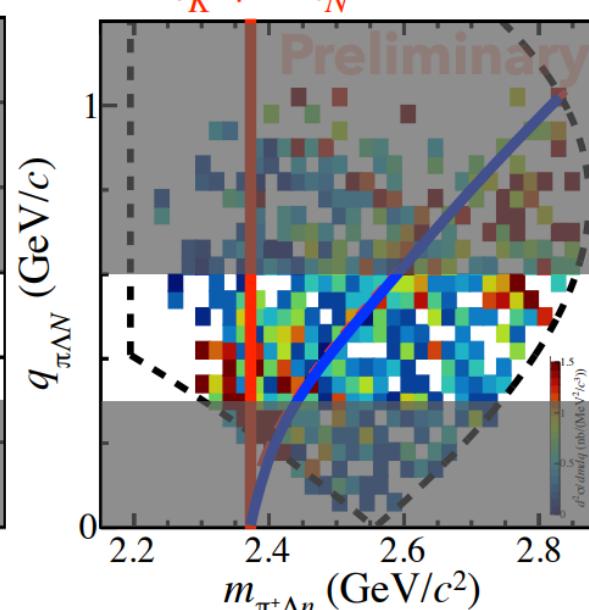
$$m_{\bar{K}} + 2m_N$$



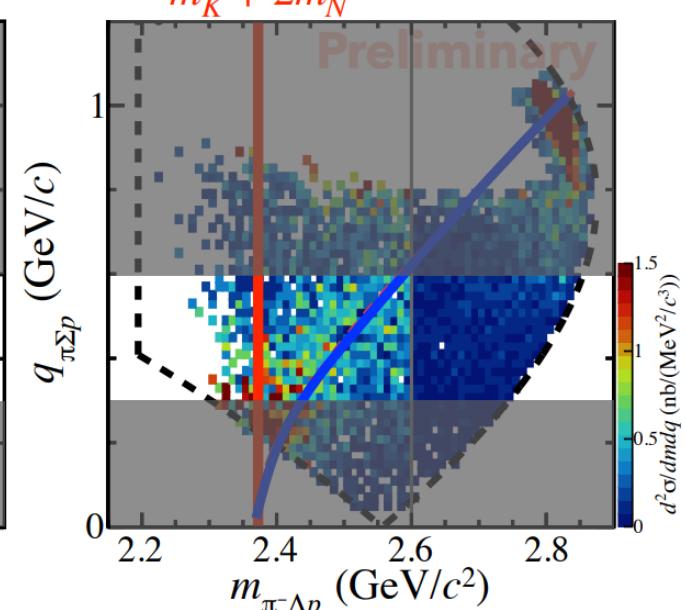
$$m_{\bar{K}} + 2m_N$$



$$m_{\bar{K}} + 2m_N$$



$$m_{\bar{K}} + 2m_N$$



Fit the 1D spectra in $0.3 < q < 0.6$ with the same model func.

πYN Mesonic Decay Analysis

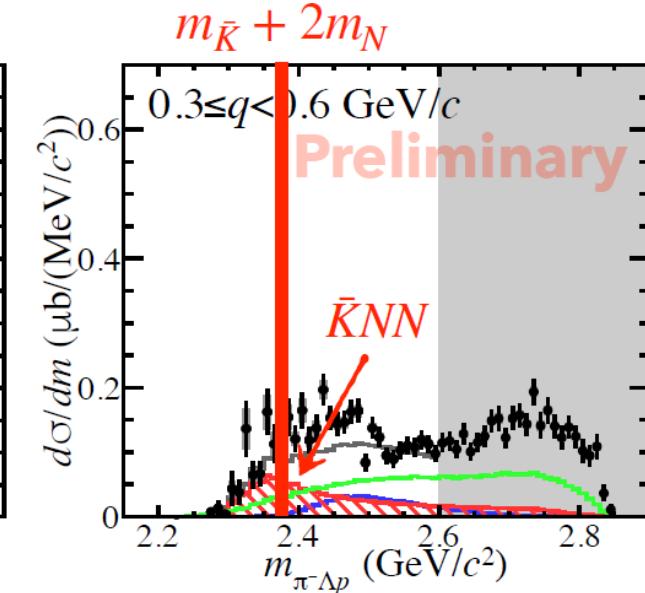
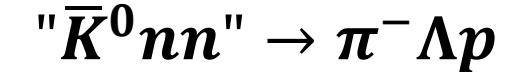
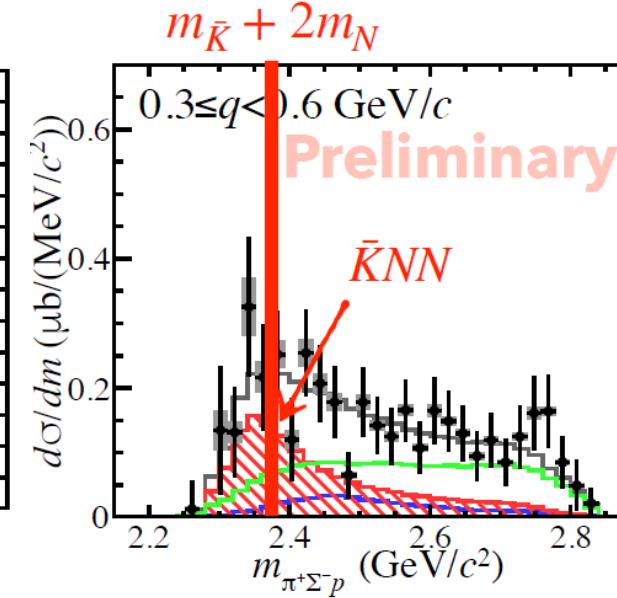
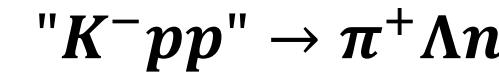
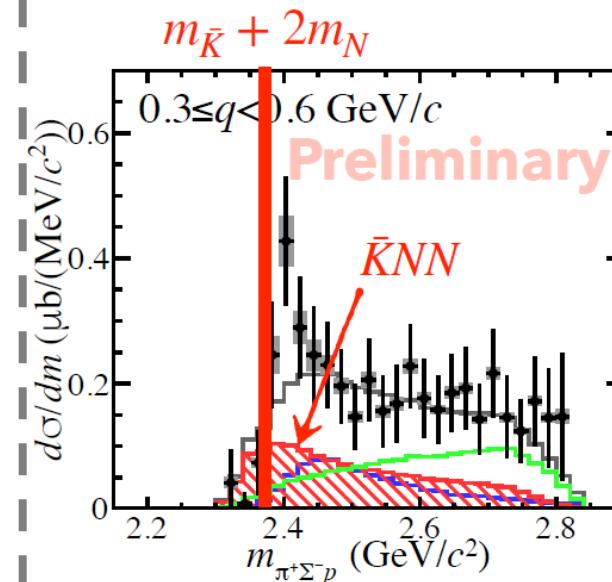
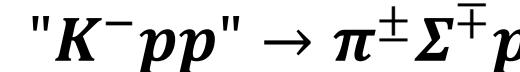
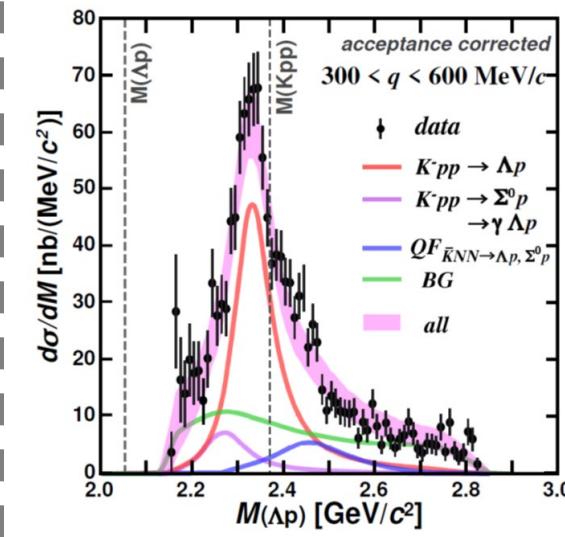
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Momentum term from spatial integral

Energy term (BW type) from time integral



With the model func., the spectra are consistently explained.

πYN Mesonic Decay Analysis

- $\Gamma_{YN} \ll \Gamma_{\pi YN}$: mesonic decay is dominant
- $\Gamma_{\pi\Sigma} \sim \Gamma_{\pi\Lambda}$: significant contribution of the $I_{KN} = 1$ as well as $I_{KN} = 0$
- $\Gamma_{\pi+\Lambda n} / \Gamma_{\pi-\Lambda p} \sim 2$: if we assume $Br_{K-pp \rightarrow \pi+\Lambda n} = Br_{K0nn \rightarrow \pi-\Lambda p} \rightarrow \sigma_{K-pp} / \sigma_{K0nn} \sim 2$

" $K^- pp$ " $\rightarrow \Lambda p$

$$\sigma_{\bar{K}NN}^{tot} \times Br (\mu b) = \\ 9.3 \pm 0.8^{+1.4}_{-1.0} [\text{all}] \\ 5.5 \pm 0.5^{+0.8}_{-0.6} [\langle M(KNN) \rangle]$$

" $K^- pp$ " $\rightarrow \Sigma^0 p$

$$\sigma_{\bar{K}NN}^{tot} \times Br (\mu b) = \\ 5.3 \pm 0.4^{+0.8}_{-0.6} [\text{all}] \\ 3.1 \pm 0.2^{+0.5}_{-0.4} [\langle M(KNN) \rangle]$$

" $K^- pp$ " $\rightarrow \pi^+ \Sigma^- p$

$$\sigma_{\bar{K}NN}^{tot} \times Br (\mu b) = \\ 38 \pm 3 \pm 3 [\text{all}] \\ 3.2 \pm 0.2 \pm 0.2 [\langle M(KNN) \rangle]$$

" $K^- pp$ " $\rightarrow \pi^- \Sigma^+ p$

$$\sigma_{\bar{K}NN}^{tot} \times Br (\mu b) = \\ 110 \pm 8 \pm 8 [\text{all}] \\ 9.4 \pm 0.4 \pm 0.7 [\langle M(KNN) \rangle]$$

" $K^- pp$ " $\rightarrow \pi^+ \Lambda n$

$$\sigma_{\bar{K}NN}^{tot} \times Br (\mu b) = \\ 62 \pm 11 \pm 9 [\text{all}] \\ 15.5 \pm 2.7 \pm 2.1 [\langle M(KNN) \rangle]$$

" $\bar{K}^0 nn$ " $\rightarrow \pi^- \Lambda p$

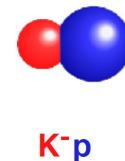
$$\sigma_{\bar{K}NN}^{tot} \times Br (\mu b) = \\ 29 \pm 3 \pm 3 [\text{all}] \\ 7.2 \pm 0.6 \pm 0.7 [\langle M(KNN) \rangle]$$

More precise measurements
and theoretical investigations
are needed

Need Further Investigations

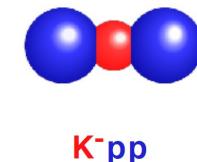
to establish the kaonic nuclei

- **$\Lambda(1405)$ state**
 - $\bar{K}N$ quasi-bound state as considered?
 - Relation between $\bar{K}N$ and $\bar{K}NN$?



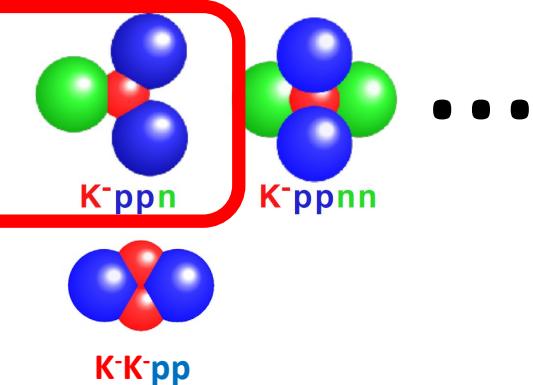
- **Further details of the $\bar{K}NN$**

- Mesonic decay modes? →_{PRC110(2024)014002.}
- Spin and parity of the “ $K^- pp$ ”?
- Compact and dense system?



- **Heavier kaonic nuclei**

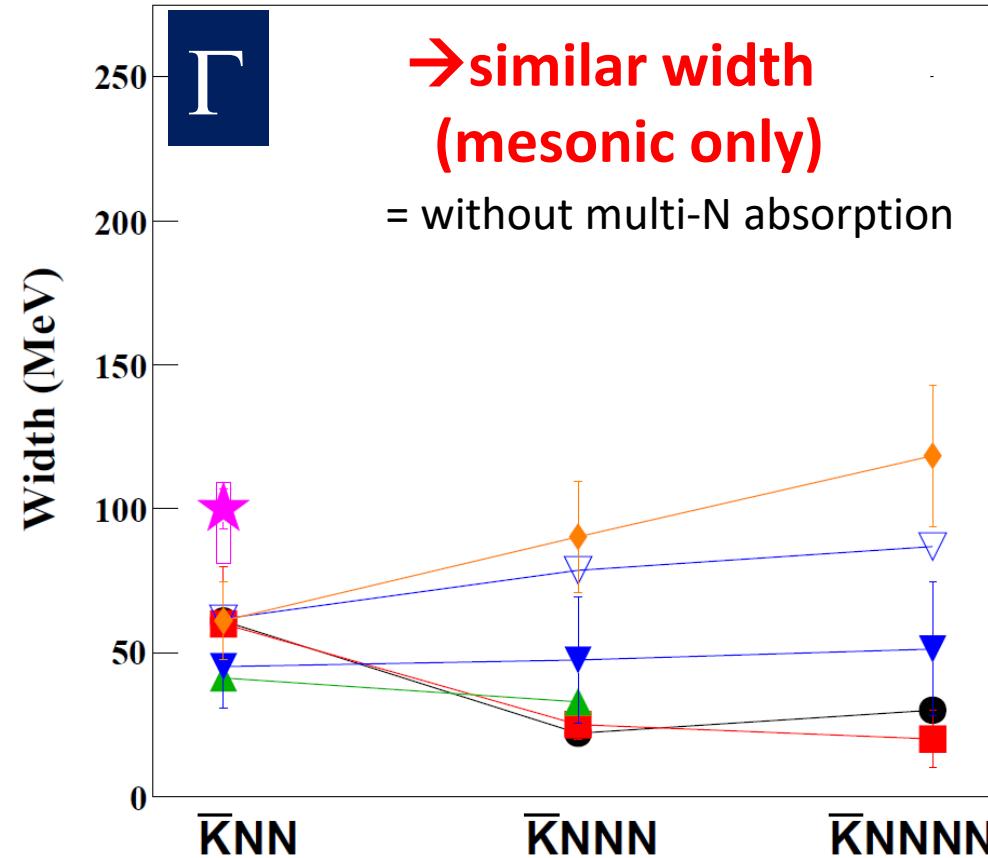
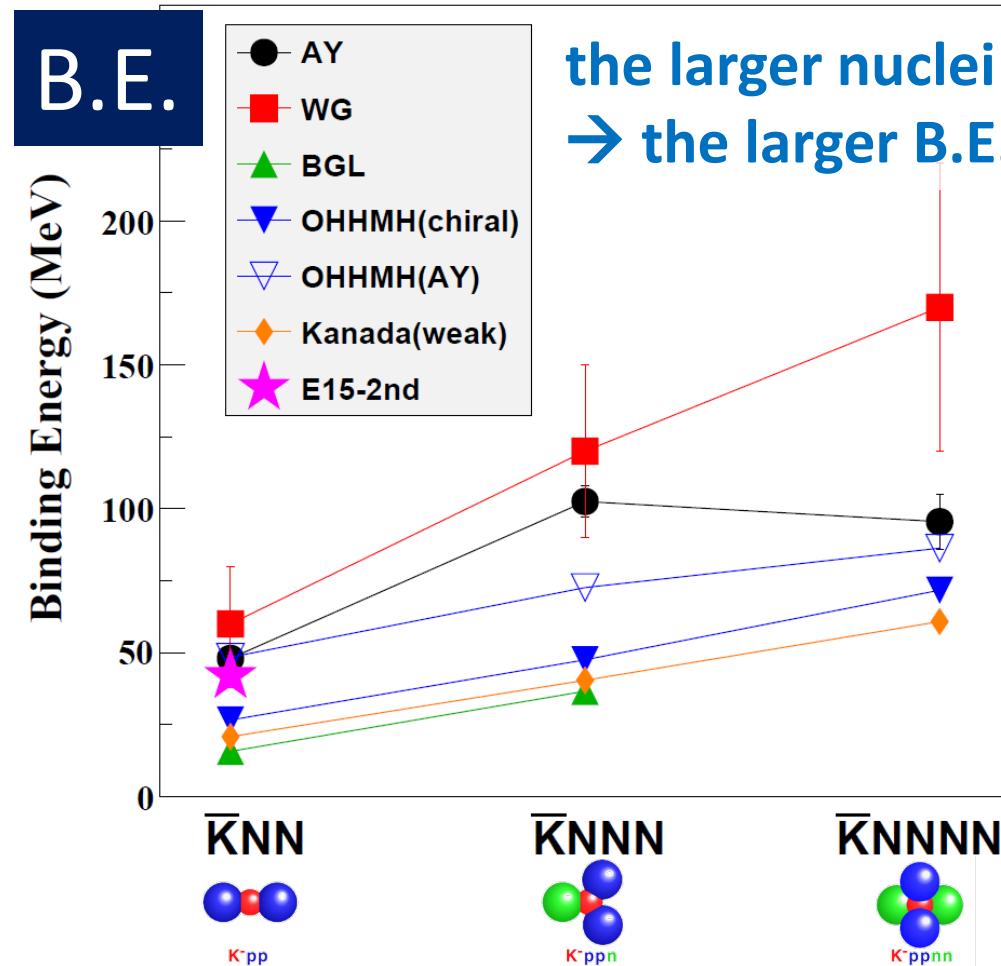
- Mass number dependence?



- **Double kaonic nuclei**

- Much compact and dense system?

Mass Number Dependence of Kaonic Nuclei

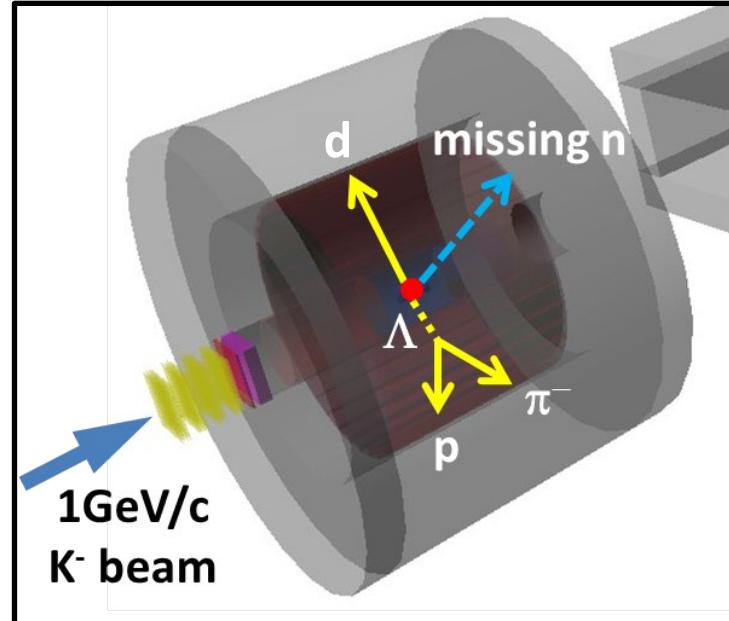
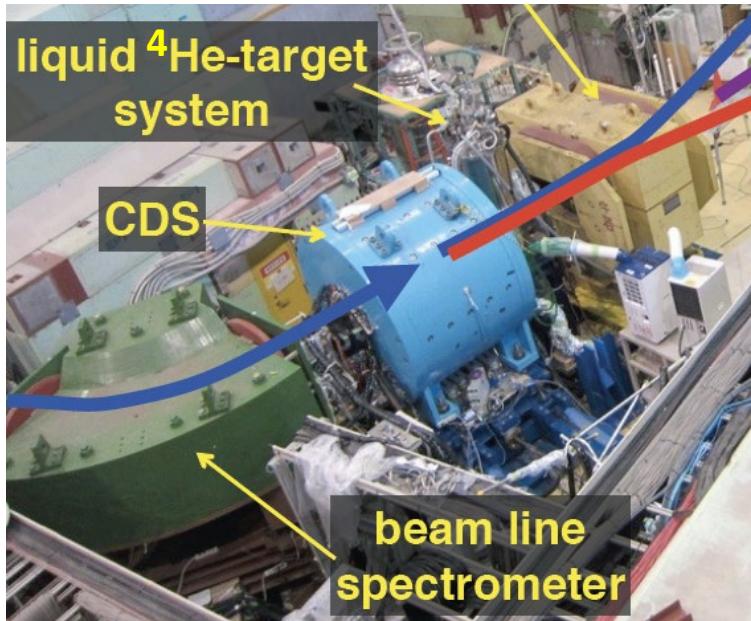


- Systematic measurements will provide more conclusive evidence of the kaonic nuclei

AY: PRC65(2002)044005, PLB535(2002)70.
 WG: PRC79(2009)014001.
 BGL: PLB712(2012)132.
 OHHMH: PRC95(2017)065202.
 Kanada: EPJA57(2021)185.

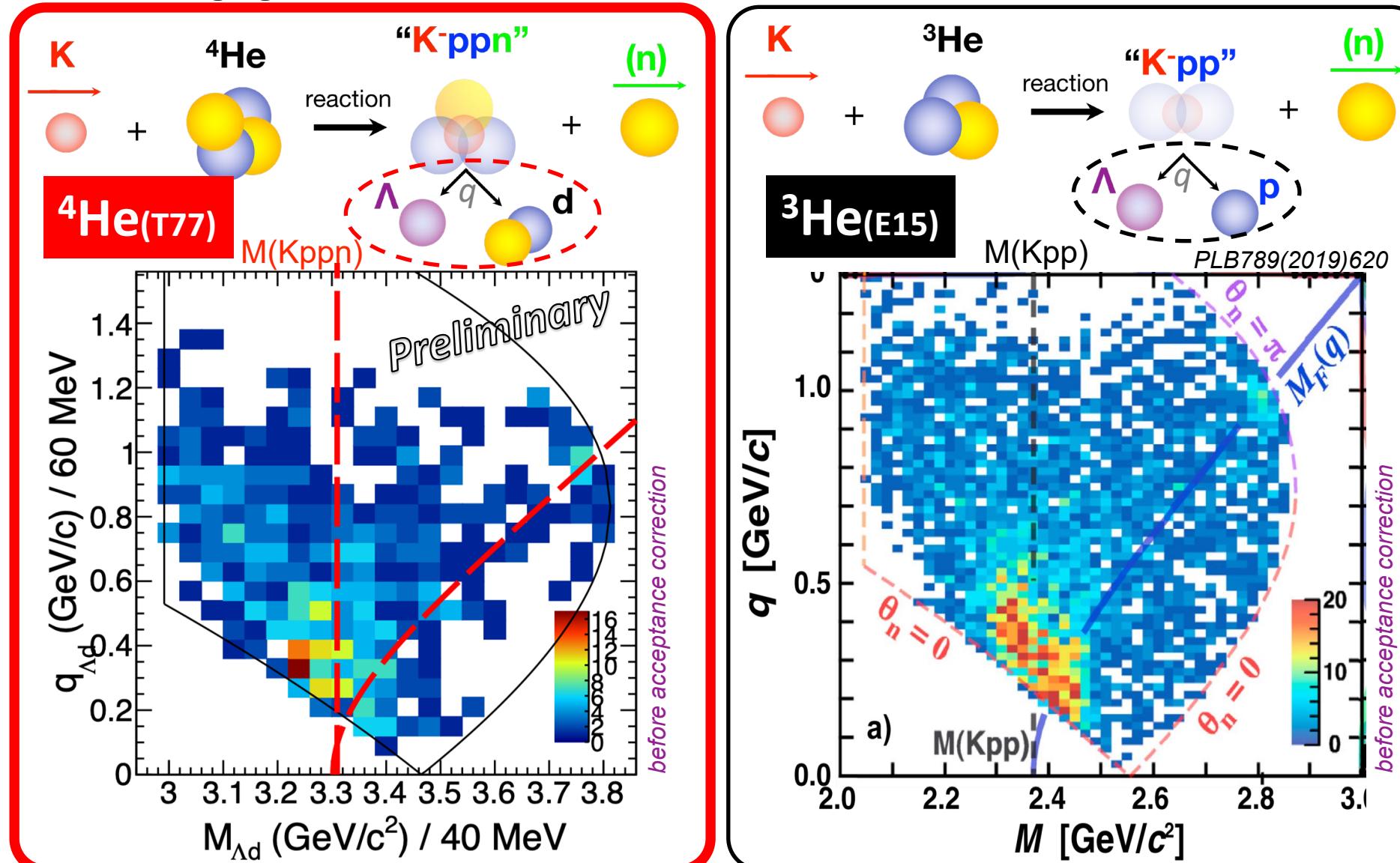
“K⁻ppn” Search with K⁻⁴He → Λdn

- An analysis of the Λdn final state with $K^-{}^4\text{He}$ reaction at **1 GeV/c** has been conducted
 - T77: lifetime measurement of ${}^4\Lambda\text{H}$ in 2020
- The results will be updated with a part of the E73 controlled data
 - E73: lifetime measurement of ${}^3\Lambda\text{H}$ in 2024-25



Experiment	K ⁻ on target
E15 (${}^3\text{He}$)	$\sim 42 \times 10^9$
T77 (${}^4\text{He}$)	$\sim 6 \times 10^9$
E73 (${}^4\text{He}$)	$\sim 12 \times 10^9$

“K-ppn” Search with $K^-{}^4He \rightarrow \Lambda dn$



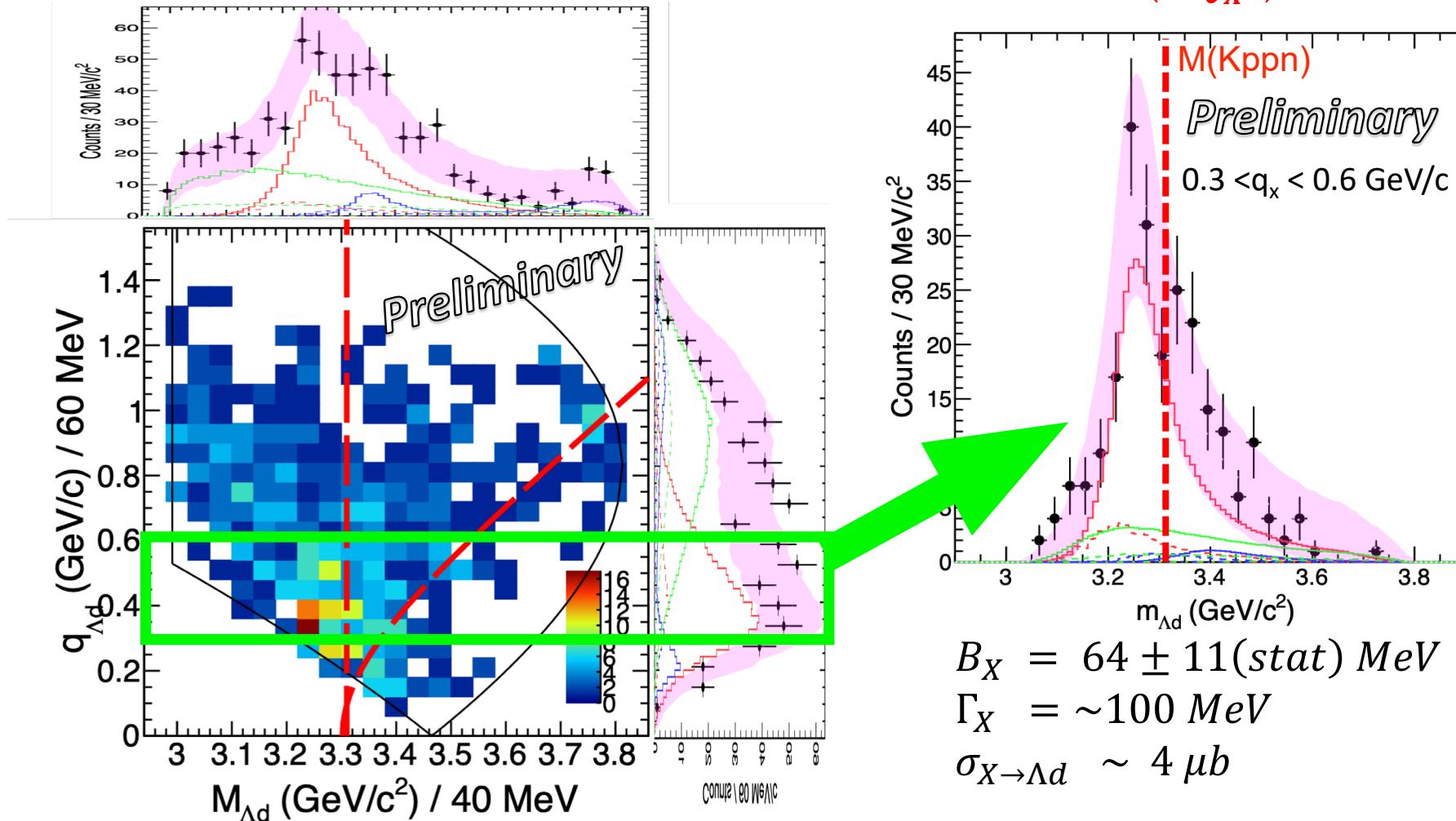
- Two distributions are quite similar
- structure below the threshold (**seems q -independent**), QF-K, BG

“K-ppn” Search with $K^- \rightarrow \Lambda d n$

2D fit on the (M, q) space with similar shapes to E15:

Breit-Wigner wtih Gaus. form factor (PWIA), QF-K $^-$, and Broad BG

$$\sigma(M, q) \propto \rho(M, q) \times \frac{(\Gamma_X/2)^2}{(M - M_X)^2 + (\Gamma_X/2)^2} \times \exp\left(-\frac{q^2}{Q_X^2}\right)$$

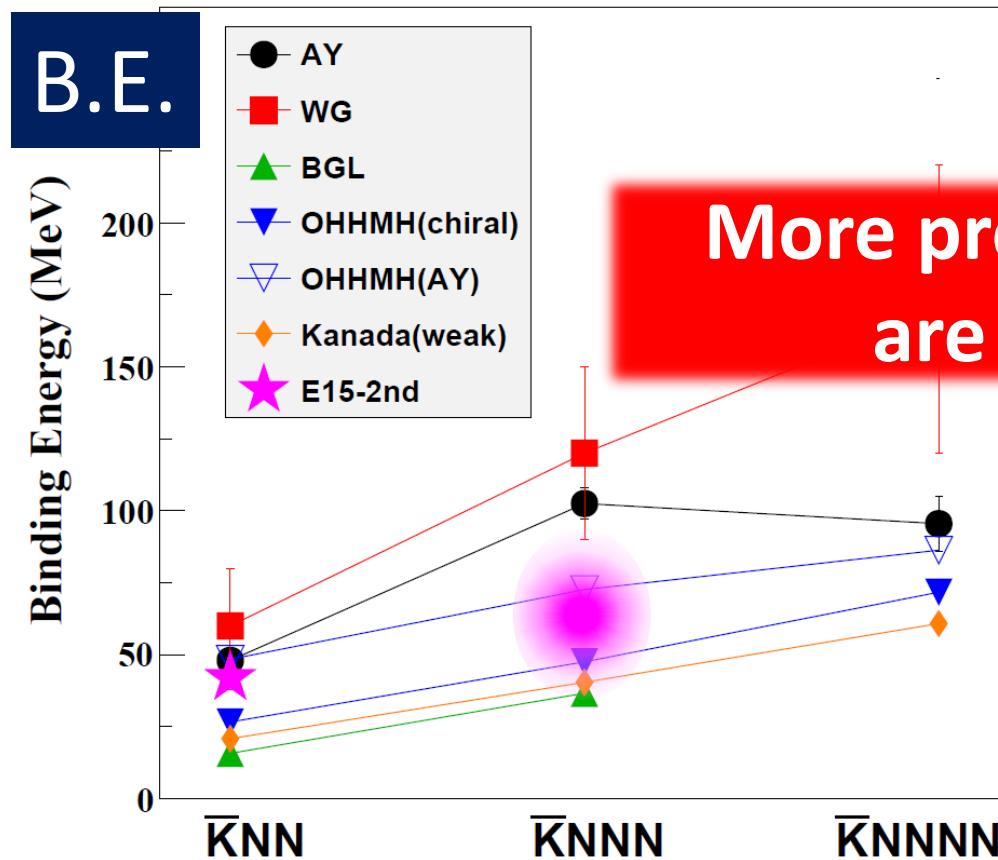


$$B_X = 64 \pm 11(\text{stat}) \text{ MeV}$$

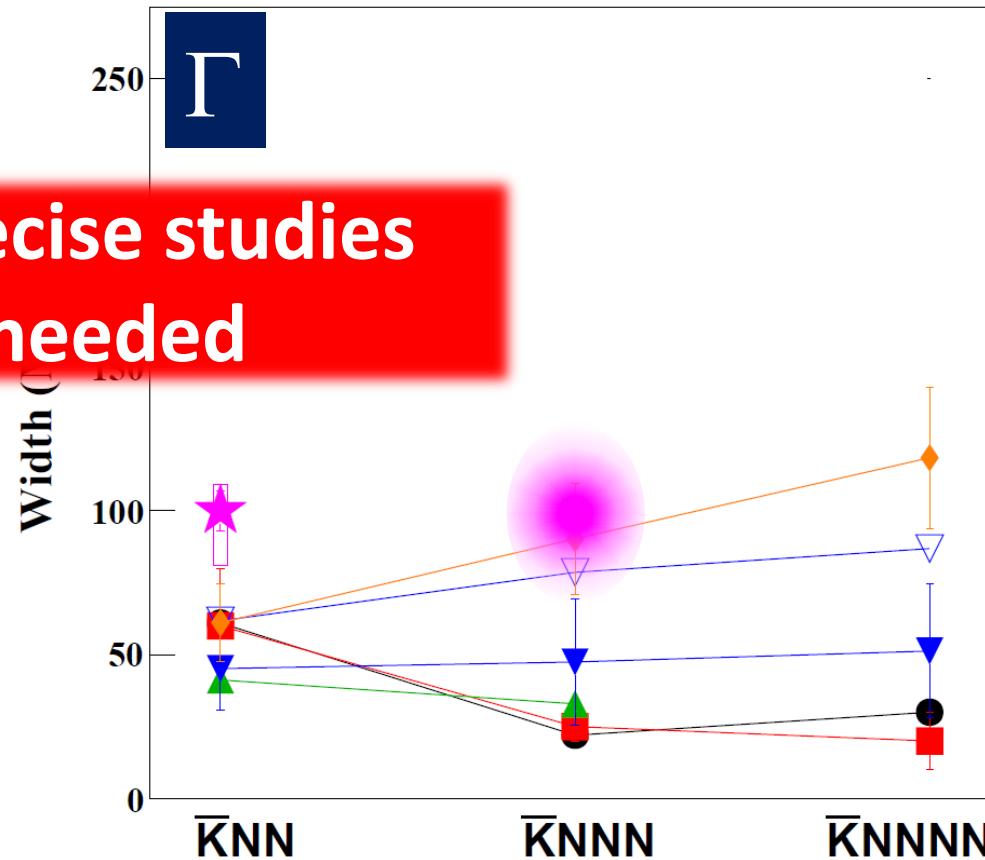
$$\Gamma_X = \sim 100 \text{ MeV}$$

$$\sigma_{X \rightarrow \Lambda d} \sim 4 \mu b$$

If the Observed Structure Is “K⁻ppn”,



More precise studies
are needed



- The binding energy is comparable with some theoretical predictions
- The width is larger than theoretical predictions

AY: PRC65(2002)044005, PLB535(2002)70.
 WG: PRC79(2009)014001.
 BGL: PLB712(2012)132.
 OHHMH: PRC95(2017)065202.
 Kanada: EPJA57(2021)185.

Need Further Investigations

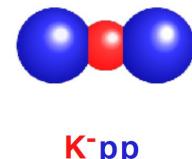
to establish the kaonic nuclei

- **$\Lambda(1405)$ state**
 - $\bar{K}N$ quasi-bound state as considered?
 - Relation between $\bar{K}N$ and $\bar{K}NN$?



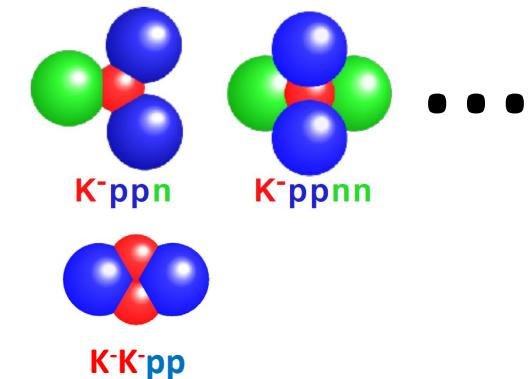
- **Further details of the $\bar{K}NN$**

- Mesonic decay modes? →_{PRC110(2024)014002.}
- Spin and parity of the “ K^-pp ”?
- Compact and dense system?



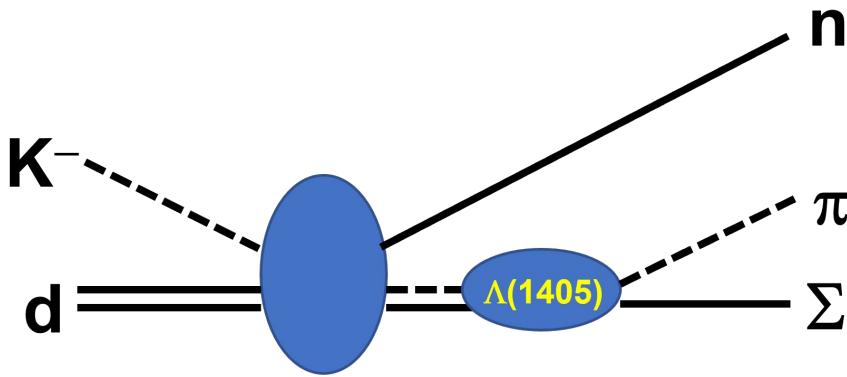
- **Heavier kaonic nuclei**

- Mass number dependence?



- **Double kaonic nuclei**

- Much compact and dense system?



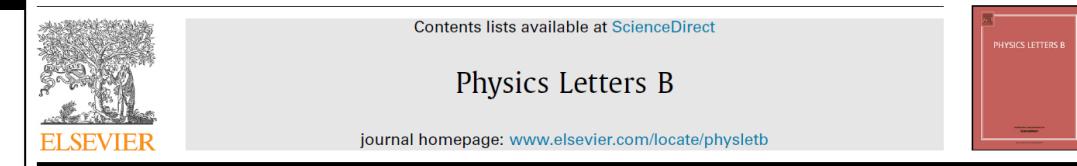
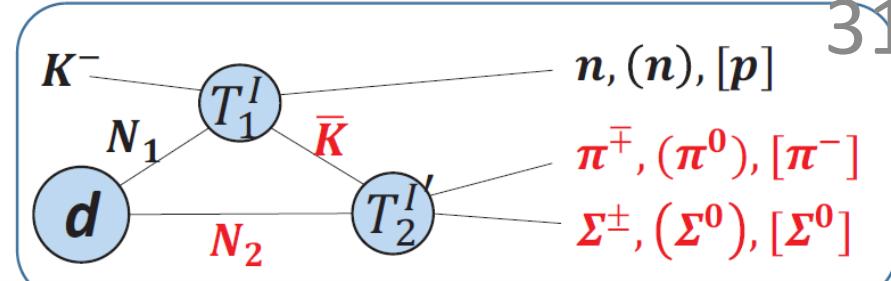
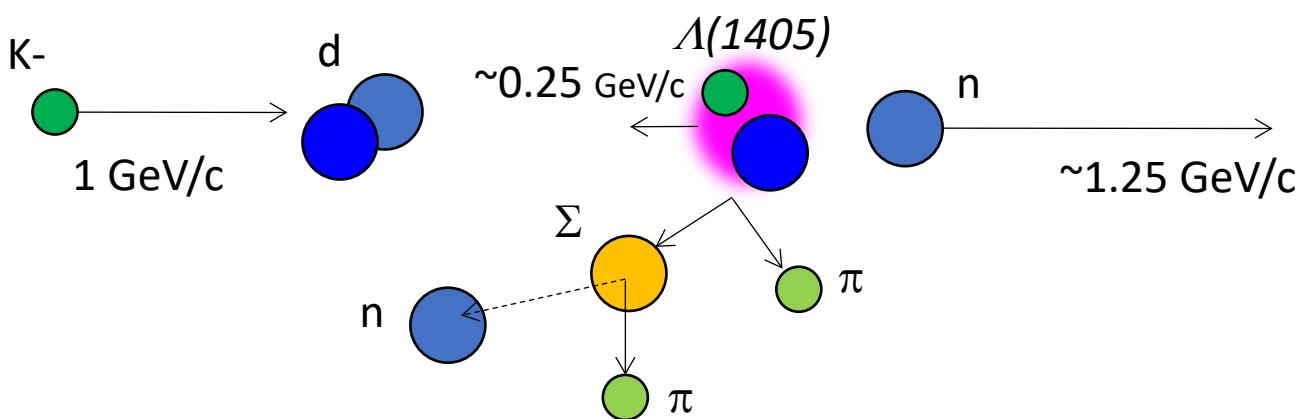
J-PARC E31

$K^- d \rightarrow n \Sigma^\pm \pi^\mp / \Sigma^0 \pi^0$

@ $\theta_n = 0$

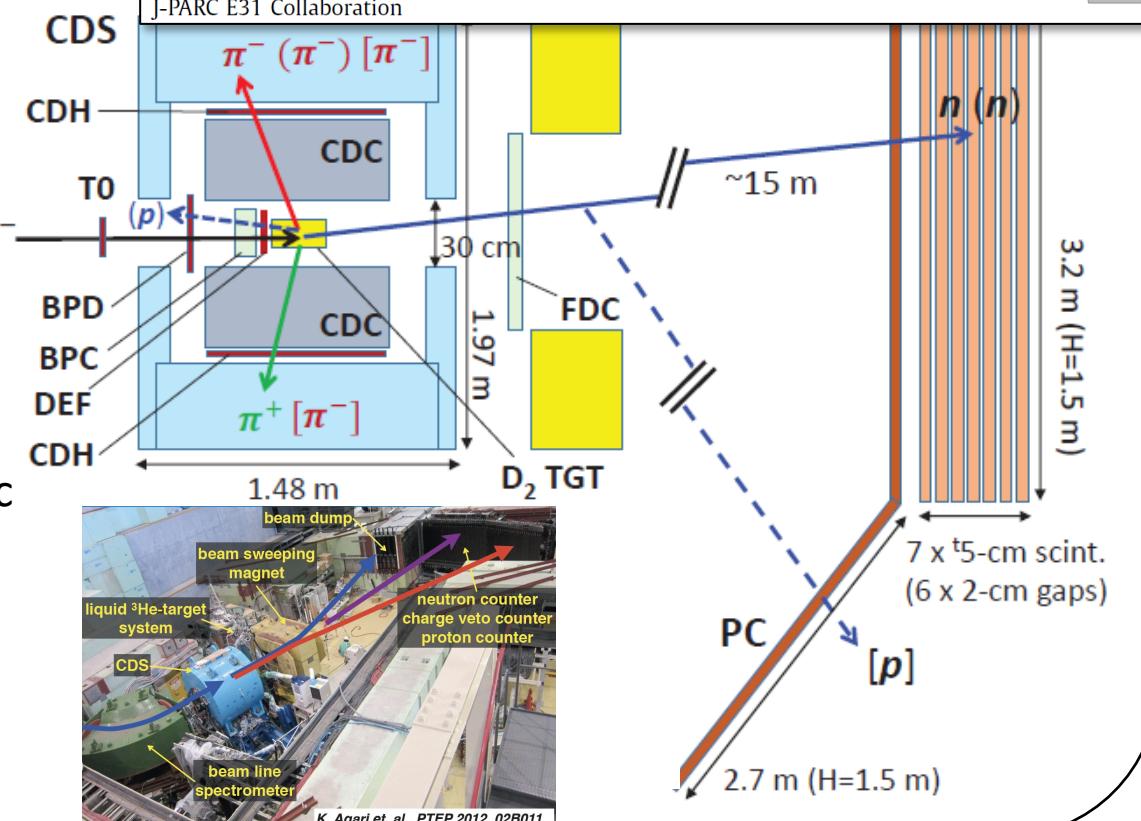
PLB837(2023)137637.

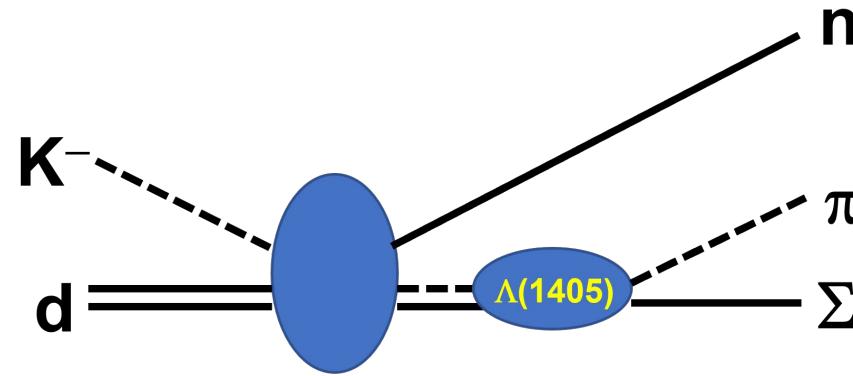
- $d(K^-, n)\pi\Sigma$ reaction at $\theta_n \sim 0$ degree
→ enhance S-wave $K^{\bar{N}} \rightarrow \pi\Sigma$ reaction



Pole position of $\Lambda(1405)$ measured in $d(K^-, n)\pi\Sigma$ reactions

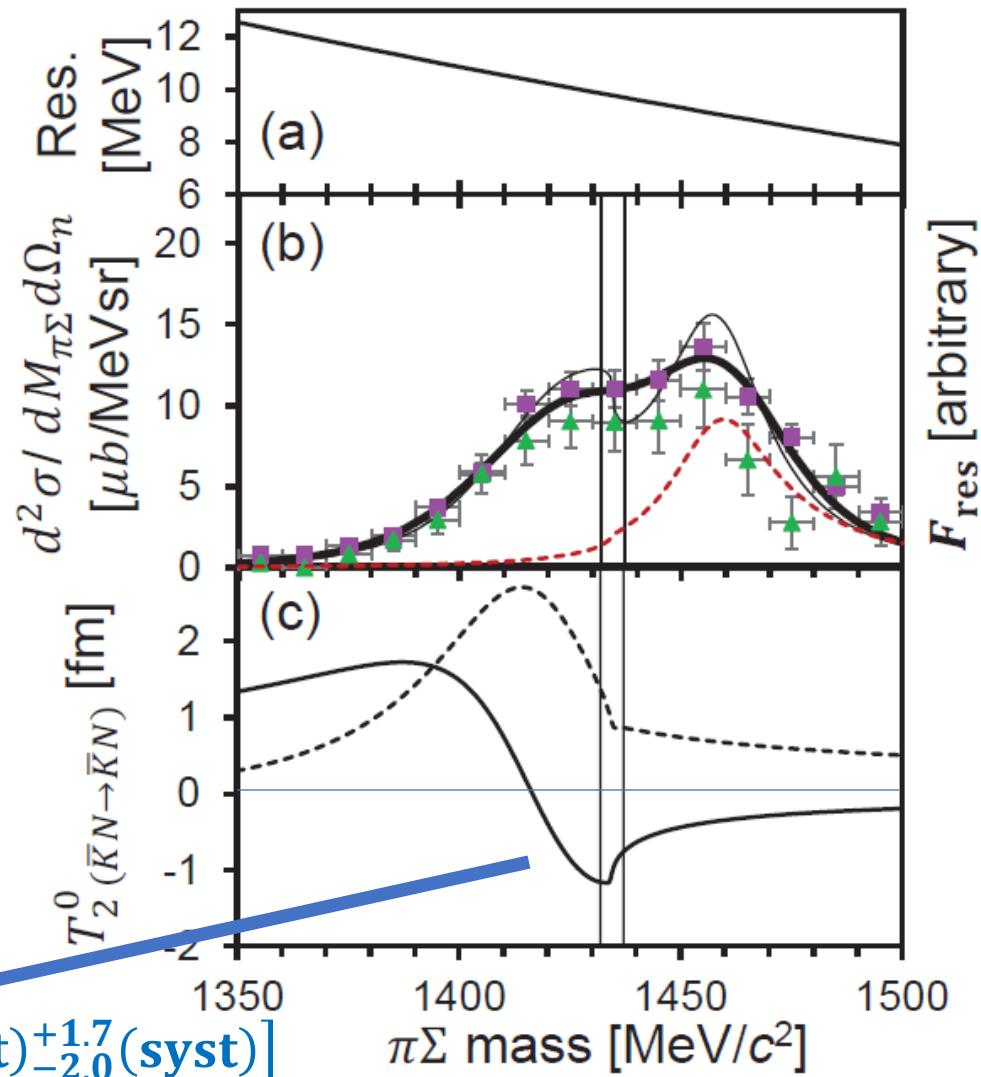
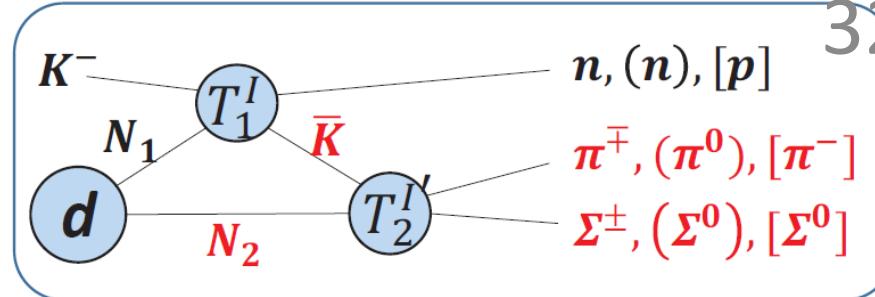
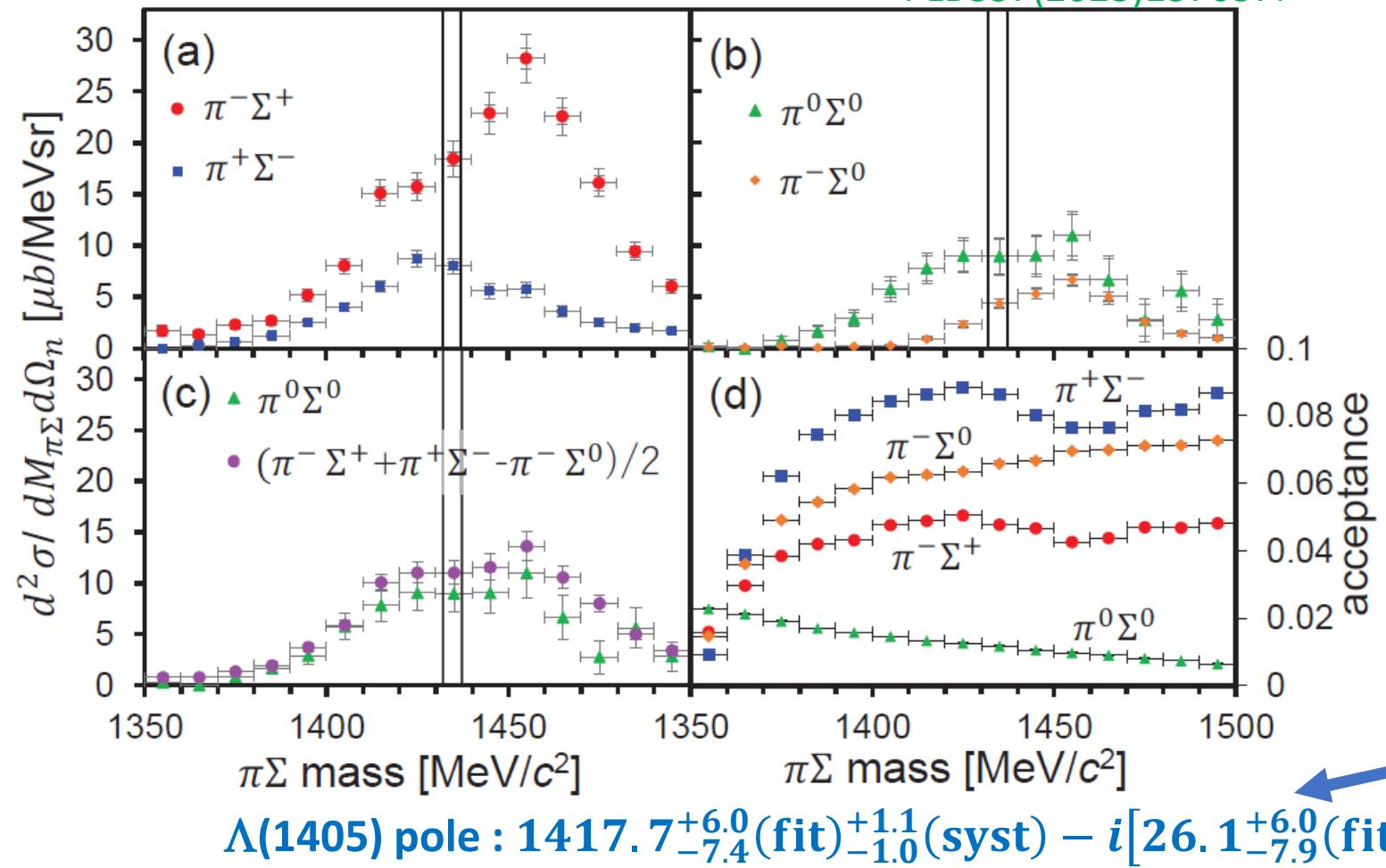
J-PARC E31 Collaboration





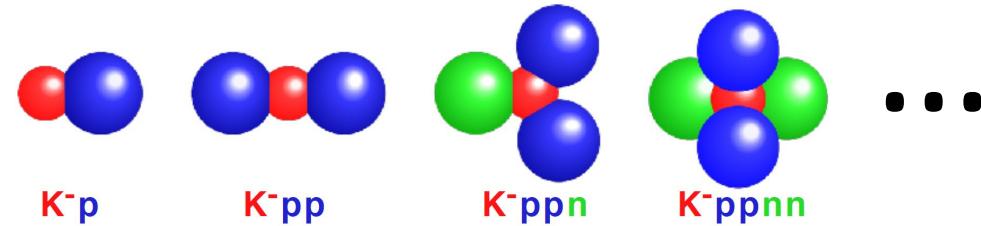
J-PARC E31
 $\mathbf{K}^- \mathbf{d} \rightarrow \mathbf{n} \Sigma^\pm \pi^\mp / \Sigma^0 \pi^0$
 $\text{@ } \theta_n = 0$

PLB837(2023)137637.



New Kaonic Nuclei Project at J-PARC

– from the $\bar{K}N$ to $\bar{K}NNNN$ systems and more –



Systematic investigation of the light kaonic nuclei

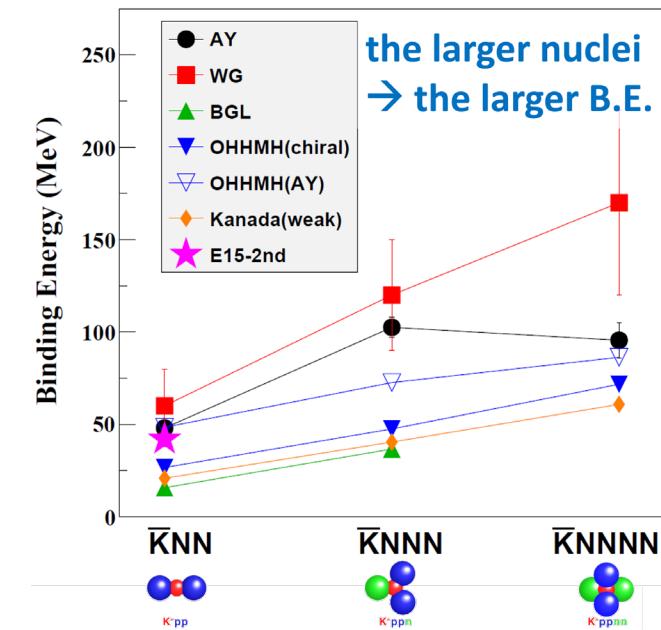
- Systematic measurement will be promoted at J-PARC

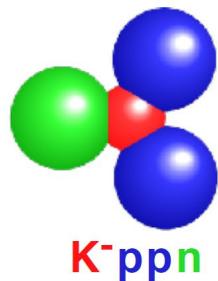
- mass number dependence
 - binding energy, branching ratio, q dependence, ..
- spin/parity determination

➤ Extract internal structure with theoretical investigations



	Reaction	Key Decay Mode
$\bar{K}N$	$d(K^-, n)$	$\pi^{\pm 0}\Sigma^{\mp 0}$
$\bar{K}NN$	${}^3He(K^-, N)$	$\Lambda p/\Lambda n$
$\bar{K}NNN$	${}^4He(K^-, N)$	$\Lambda d/\Lambda pn$
$\bar{K}NNNN$	${}^6Li(K^-, d)$	$\Lambda t/\Lambda dn$
$\bar{K}NNNNN$	${}^6Li(K^-, N)$	$\Lambda\alpha/\Lambda dd/\Lambda dpn$
$\bar{K}NNNNNN$	${}^7Li(K^-, N)$	$\Lambda\alpha n/\Lambda dd n$
$\bar{K}\bar{K}NN$	$\bar{p} + {}^3He$	$\Lambda\Lambda$



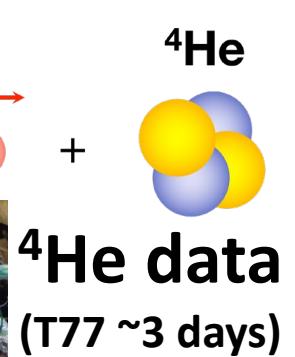


$\bar{K}NNN$ @ E80

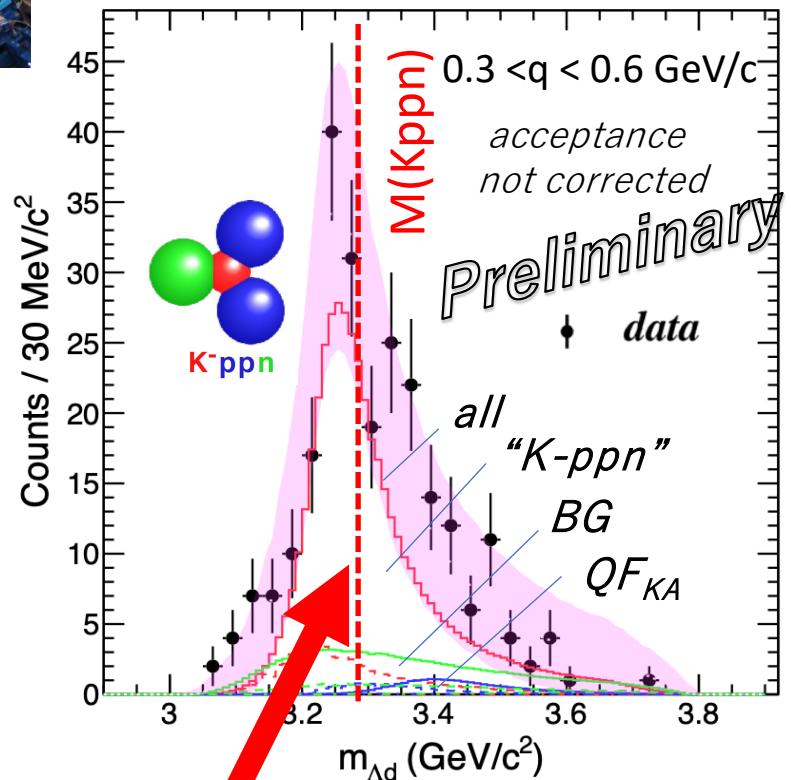
via ${}^4\text{He}(1 \text{ GeV}/c K^-, n)$ reaction

① Establish the existence of $\bar{K}NNN$

- “K-ppn” $\rightarrow \Lambda d$ 2-body decay



${}^4\text{He}$ data
(T77 ~3 days)



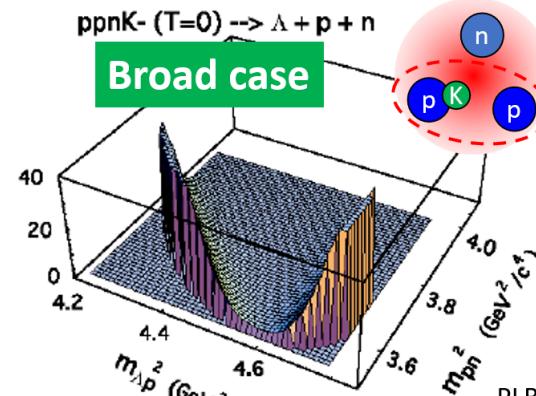
the sign of the “K-ppn”

② Study the multi-particle decay mode of $\bar{K}NNN$ toward understanding its internal structure

- “K-ppn” $\rightarrow \Lambda pn$ 3-body decay

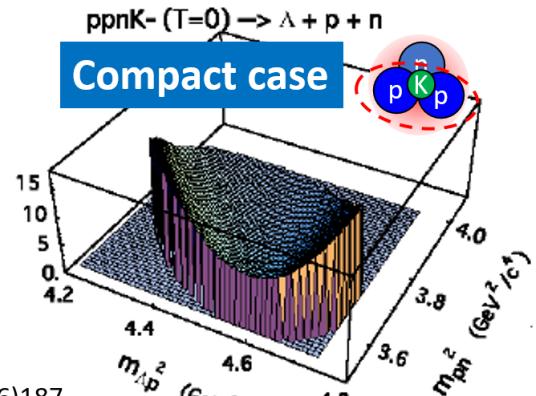
Paul Kienle ^{a,b}, Yoshinori Akaishi ^{c,d}, Toshimitsu Yamazaki ^{d,e,*}

Utilize Dalitz plots → Differences in distribution



Distributed in parts of the plane

- 1 nucleon has the Fermi momentum



Widely distributed in the plane

- All particles have a momentum larger than the Fermi momentum

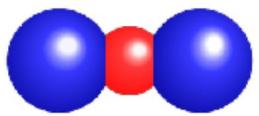
Broad case

Compact case

ppnK- ($T=0$) $\rightarrow \Lambda + p + n$

ppnK- ($T=0$) $\rightarrow \Lambda + p + n$

PLB632(2006)187



$\bar{K}NN$ @ E89

via ${}^3He(1\text{ GeV}/c K^-, n)$ reaction

 K^-pp

① Search for “ $\bar{K}^0 nn$ ”, isospin partner of “ K^-pp ”

- “ $\bar{K}^0 nn \rightarrow \Lambda n/\Sigma^- p$ ”

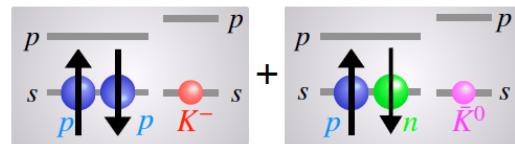
② Determine the spin/parity of $\bar{K}NN$

- spin-spin correlation measurement of “ $K^-pp \rightarrow \Lambda p$ ”

There are two possible configurations for the $\bar{K}NN$ ground state.

“(NN)_(I,sym × S,asym) $\otimes \bar{K}$ ”

$$J^P = 0^-$$

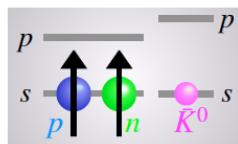


$$\frac{|I_{\bar{K}N} = 0|^2}{|I_{\bar{K}N} = 1|^2} = \frac{3}{1}$$

Deeper bound expected

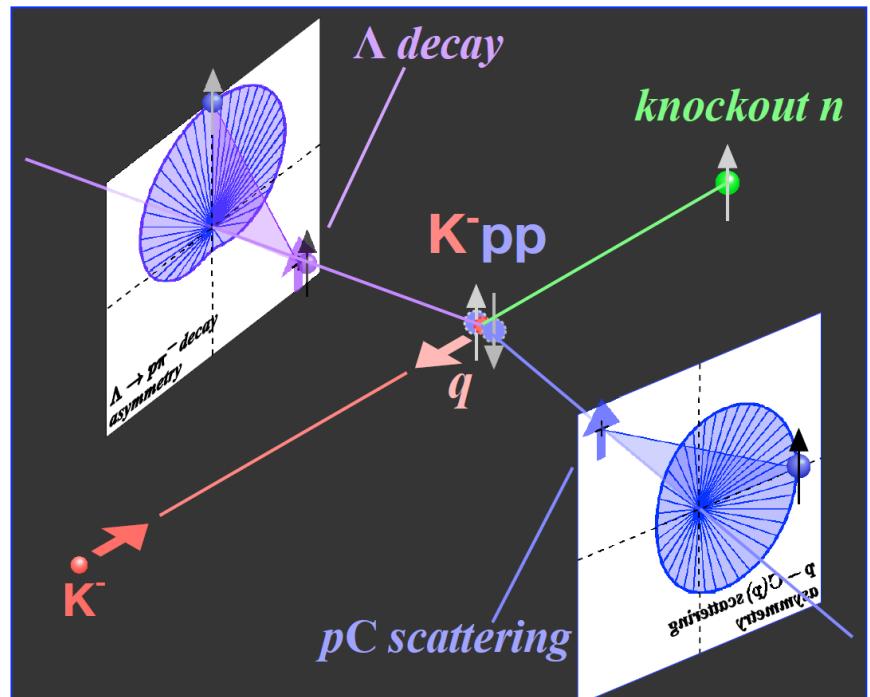
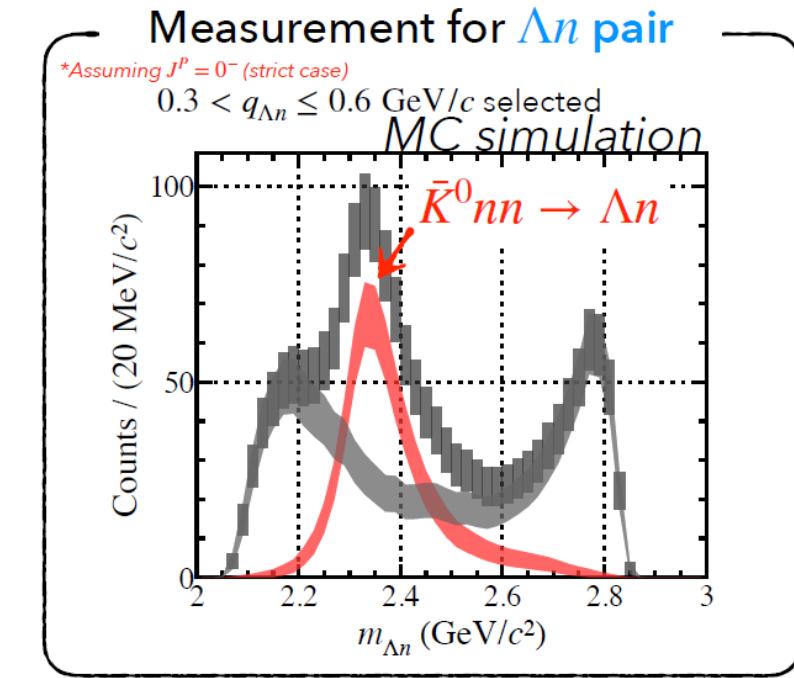
“(NN)_(I,asym × S,sym) $\otimes \bar{K}$ ”

$$J^P = 1^-$$

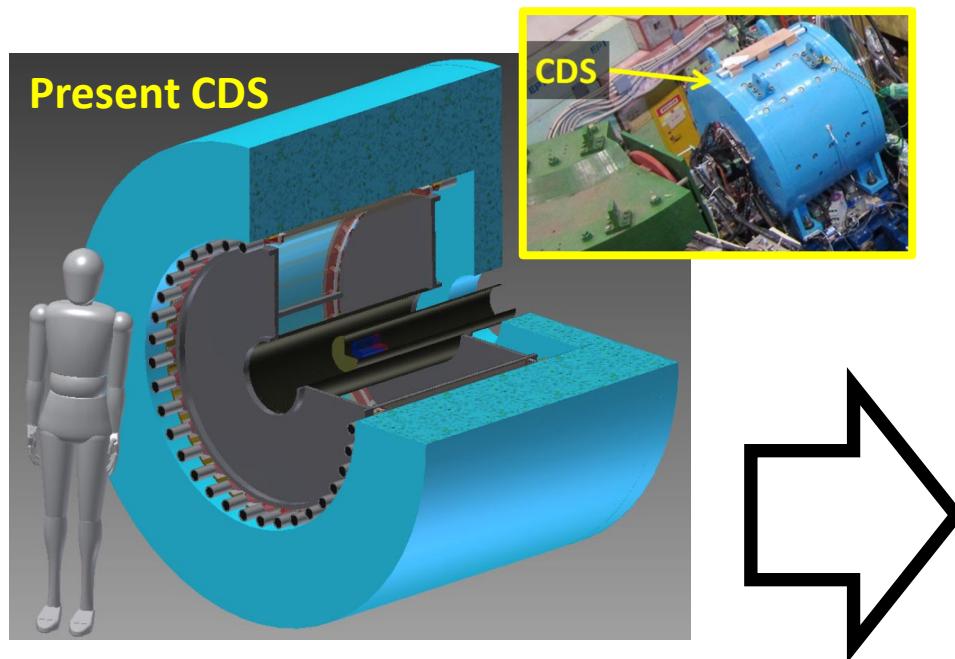


$$\frac{|I_{\bar{K}N} = 0|^2}{|I_{\bar{K}N} = 1|^2} = \frac{1}{3}$$

Shallower bound expected



New Cylindrical Detector System (CDS)



- ✓ **Solid angle:** x1.6 (59% → 93%)
- ✓ **Neutron eff.:** x7 (3% → 12% x 1.6)
 - + forward TOF counter
 - + proton polarimeter (in future)



Construction Status of the CDS

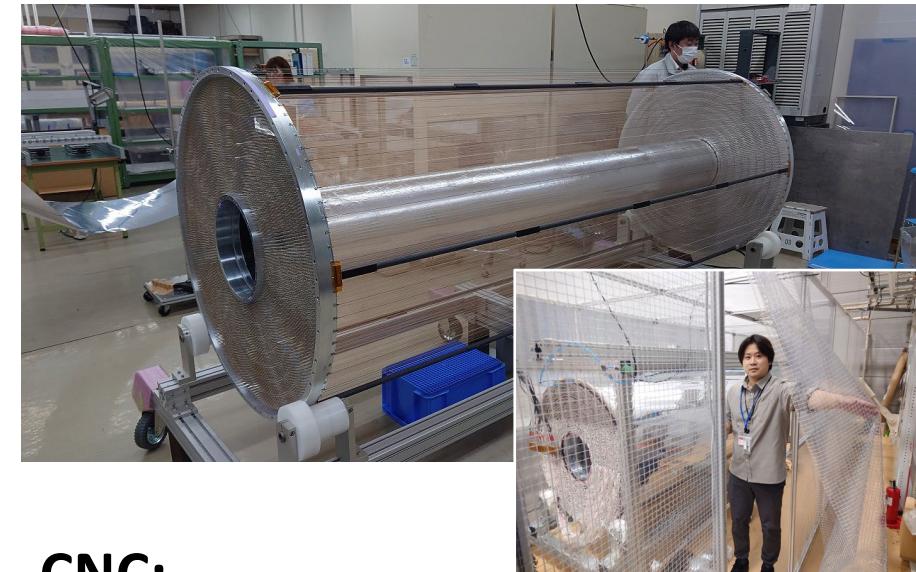
Return York:
completed



SC Solenoid:
completed

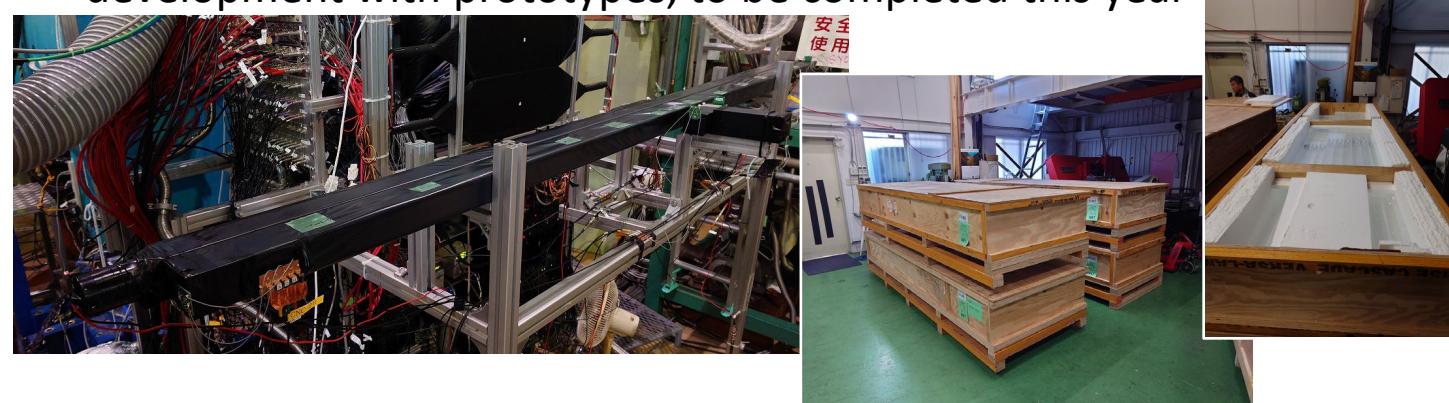


CDC:
completed, in commissioning



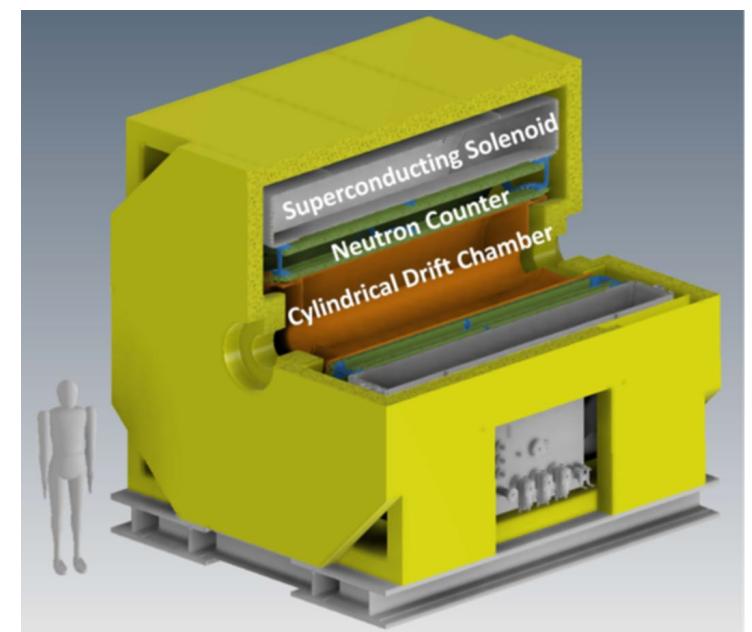
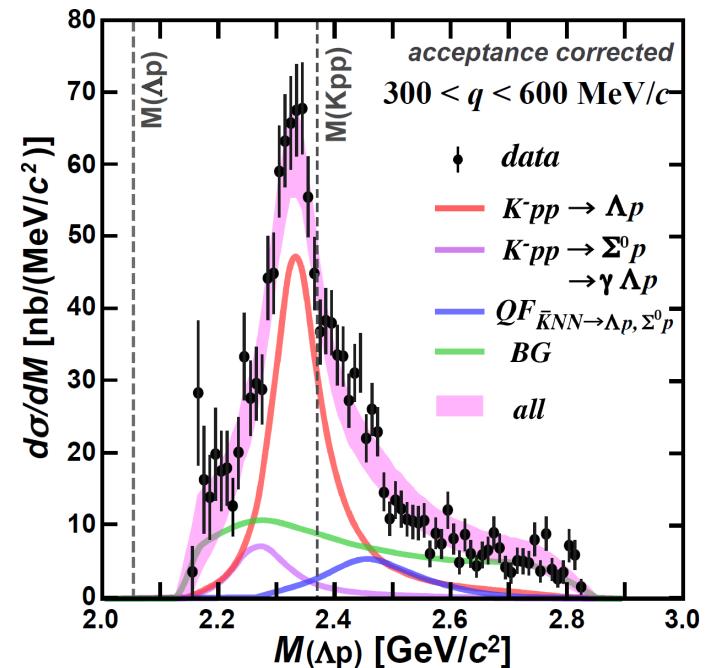
**The experiment will be ready
in early 2027**

CNC:
development with prototypes, to be completed this year



Summary

- We observed the “K⁻pp” bound state in ${}^3\text{He}(K^-, \Lambda p)n$
 - ✓ PLB789(2019)620., PRC102(2020)044002.
- We also obtained hints of mesonic decays of “K-pp”
 - ✓ PRC110(2024)014002.
- We observed the sign of the “K⁻ppn” in ${}^4\text{He}(K^-, \Lambda d)n$
 - ✓ will be published soon with x3 statistics
- New project has started from E80, “K⁻ppn”, aiming at the systematic study of the kaonic nuclei
 - Constructing a large solenoid spectrometer
 - will start in early 2027



J-PARC E80 Collaboration

K. Itahashi, M. Iwasaki, T. Hashimoto, Y. Ma, R. Murayama, T. Nanamura,
F. Sakuma*

RIKEN, Saitama, 351-0198, Japan



Tokyo Tech



We're looking for

new collaborators!

T. Nagae

H. Fujioka

Department of Physics, Kyoto University, Kyoto, 606-8502, Japan

S. Okada

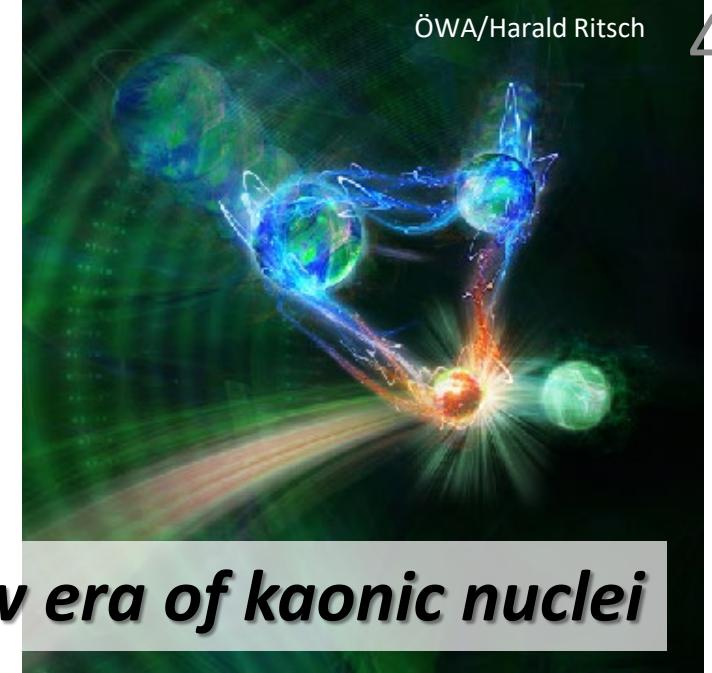
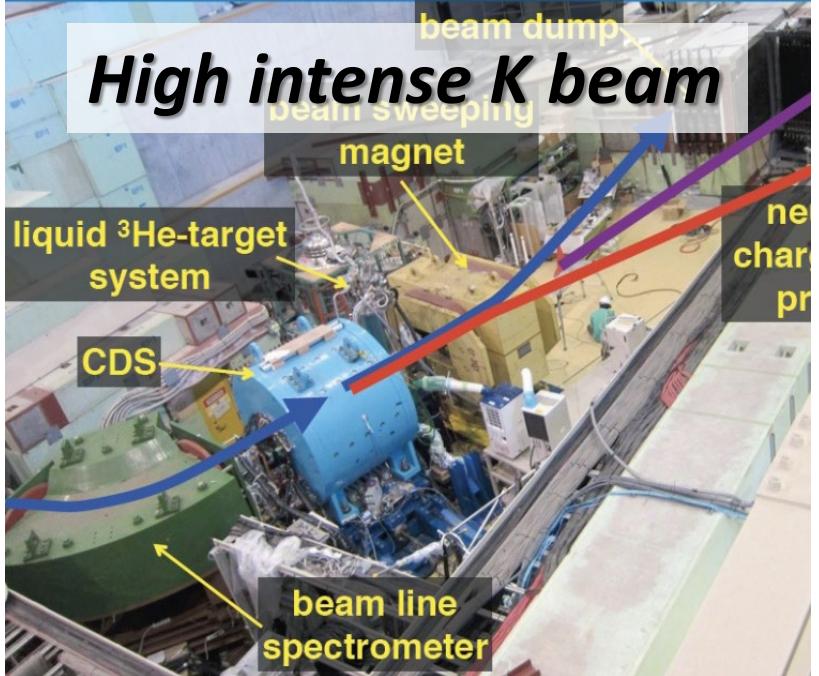
Chubu University, Aichi, 487-0027, Japan

M. Bazzi, A. Clozza, C. Curceanu, C. Guaraldo, M. Iliescu, S. Manti, A. Scordo,
F. Sgaramella, D. Sirghi, F. Sirghi

Laboratori Nazionali di Frascati dell' INFN, I-00044 Frascati, Italy

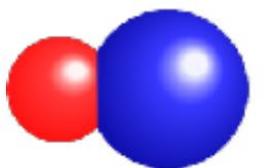
P. Buehler, E. Widmann, J. Zmeskal

Stefan-Meyer-Institut für subatomare Physik, A-1090 Vienna, Austria

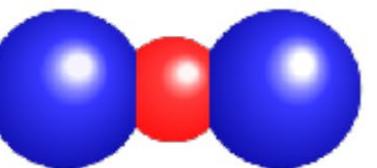


Thank you for your attention!

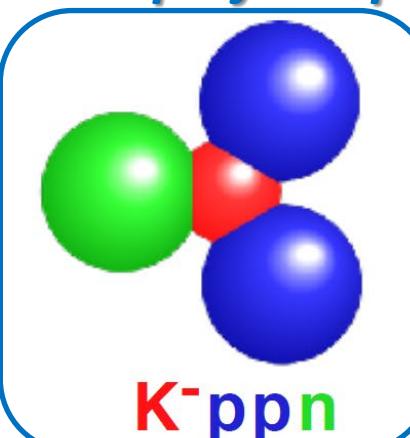
A first step of the project



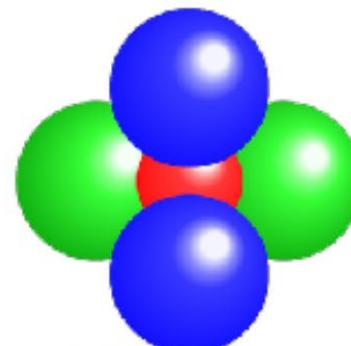
K^-p



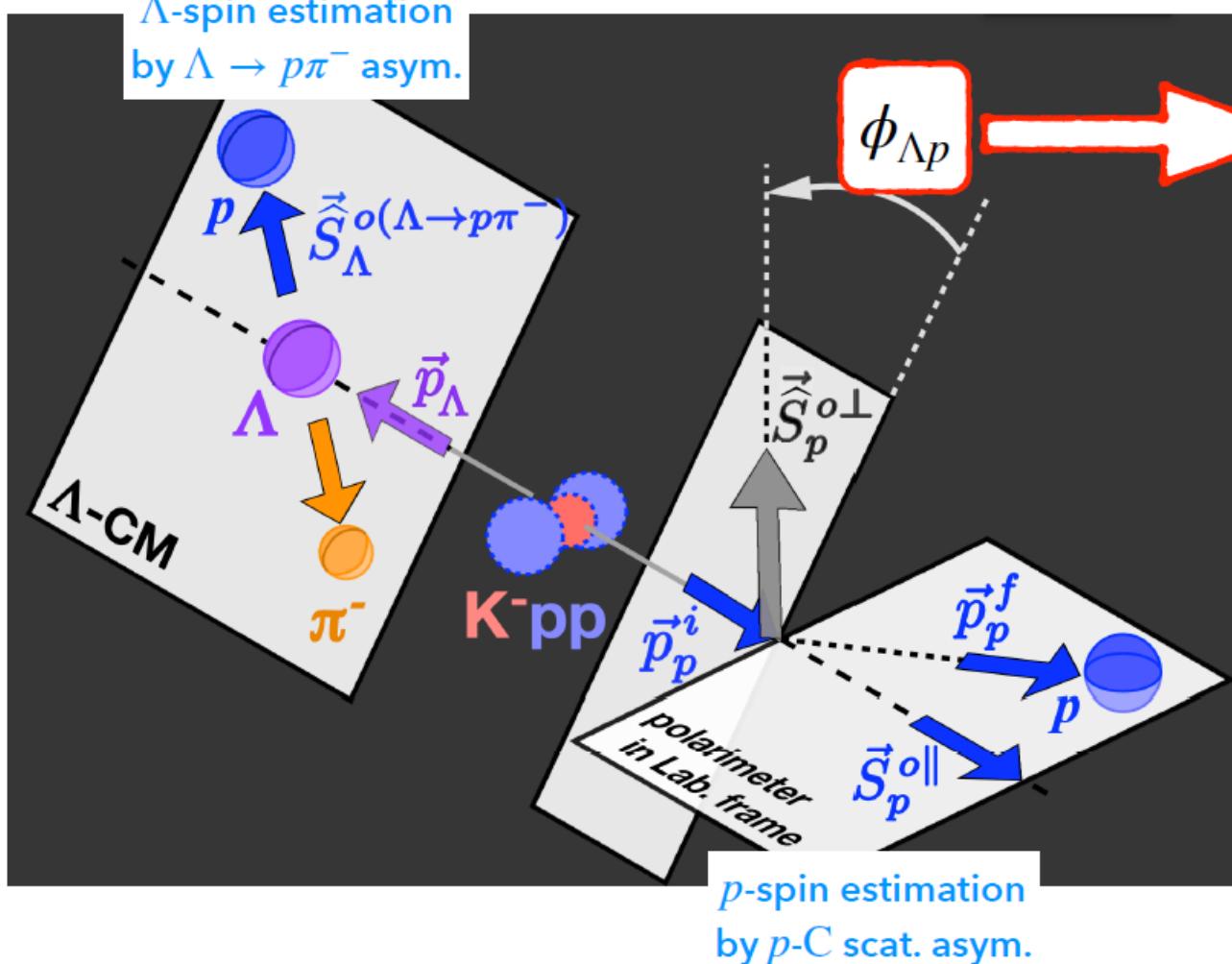
K^-pp



via in-flight ${}^4\text{He}(\text{K}^-, \text{N})$



How to measure the spin-spin correlation



Spin-spin correlation on ϕ -asymmetry

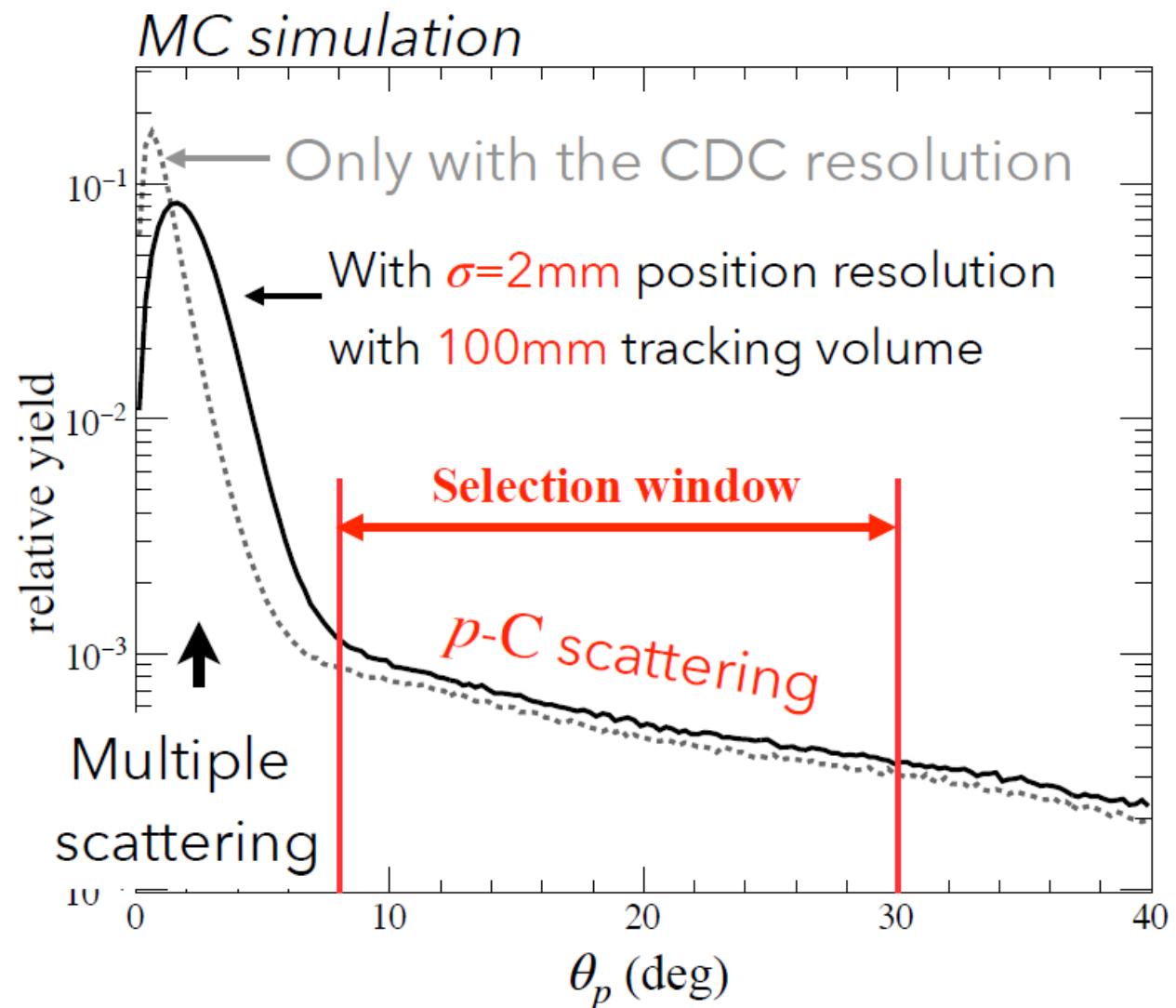
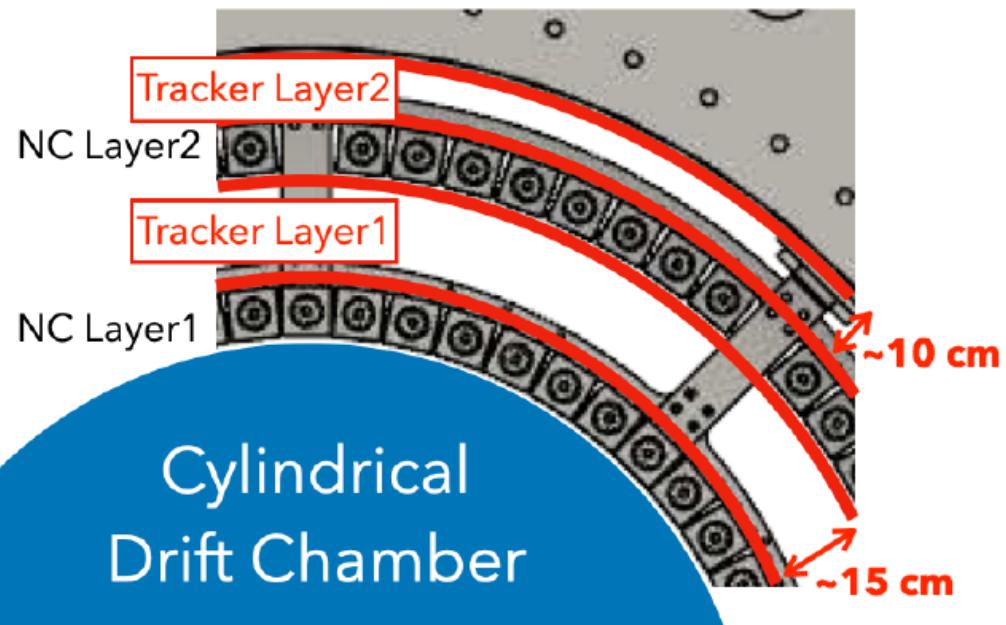
$$N(\phi_{\Lambda p}) = N_0 \cdot (1 + r^{(J^P)} \cdot \alpha_{\Lambda p} \cos \phi_{\Lambda p})$$

$r^{(J^P)}$: asymmetry reduction factor defined by;

α_Λ : Λ asym. parameter	B : Magnetic field
A_{pC} : Analyzing power	$B_{\bar{K}}$: Binding energy
f_{S_Λ} : Spin distribution	q : Momentum transfer

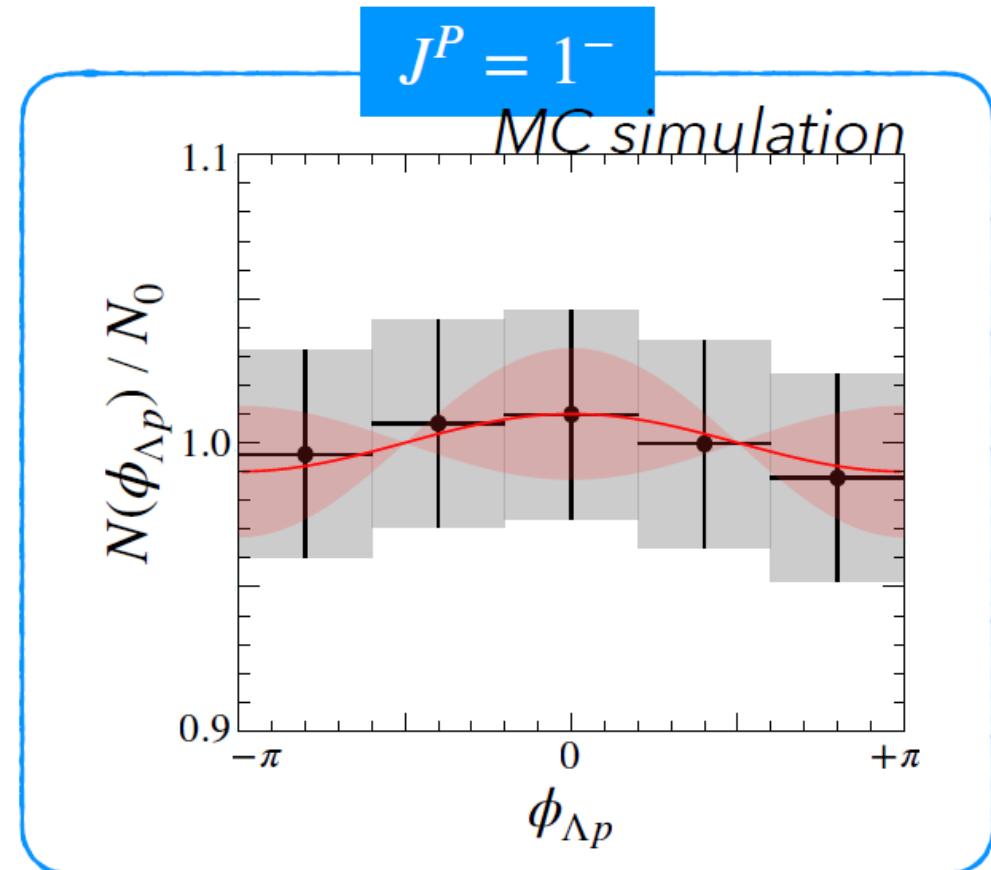
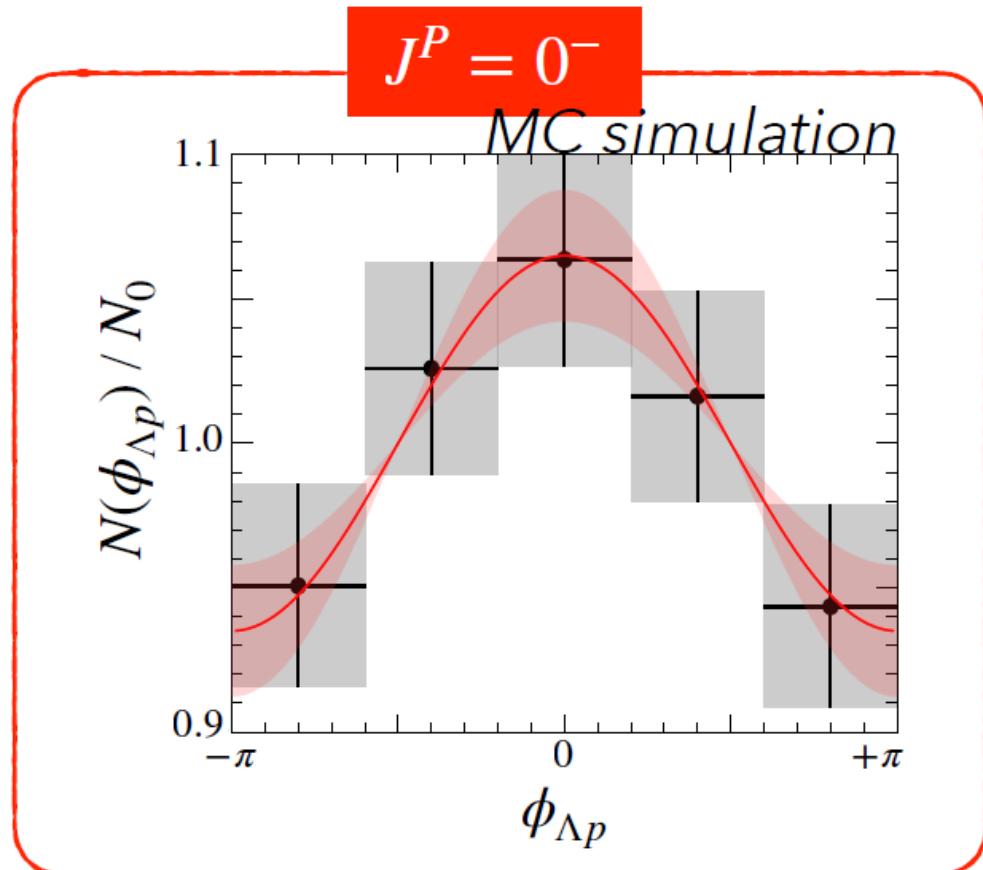
We can deduce $\alpha_{\Lambda p}$ from $\phi_{\Lambda p}$ -distribution.

Necessary Position Resolution for the Tracker



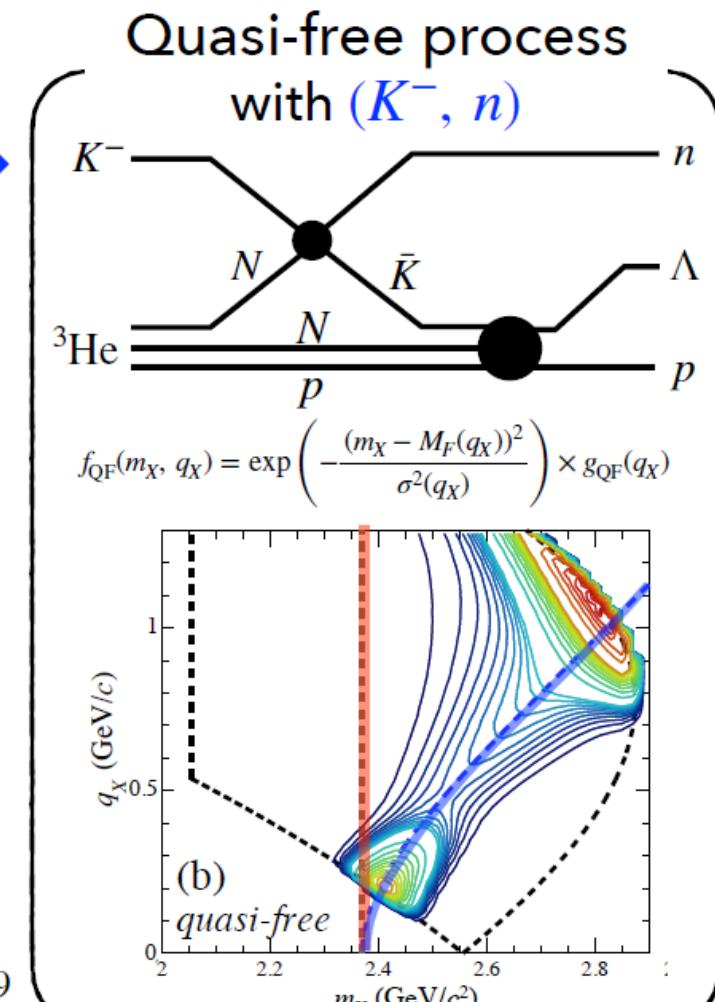
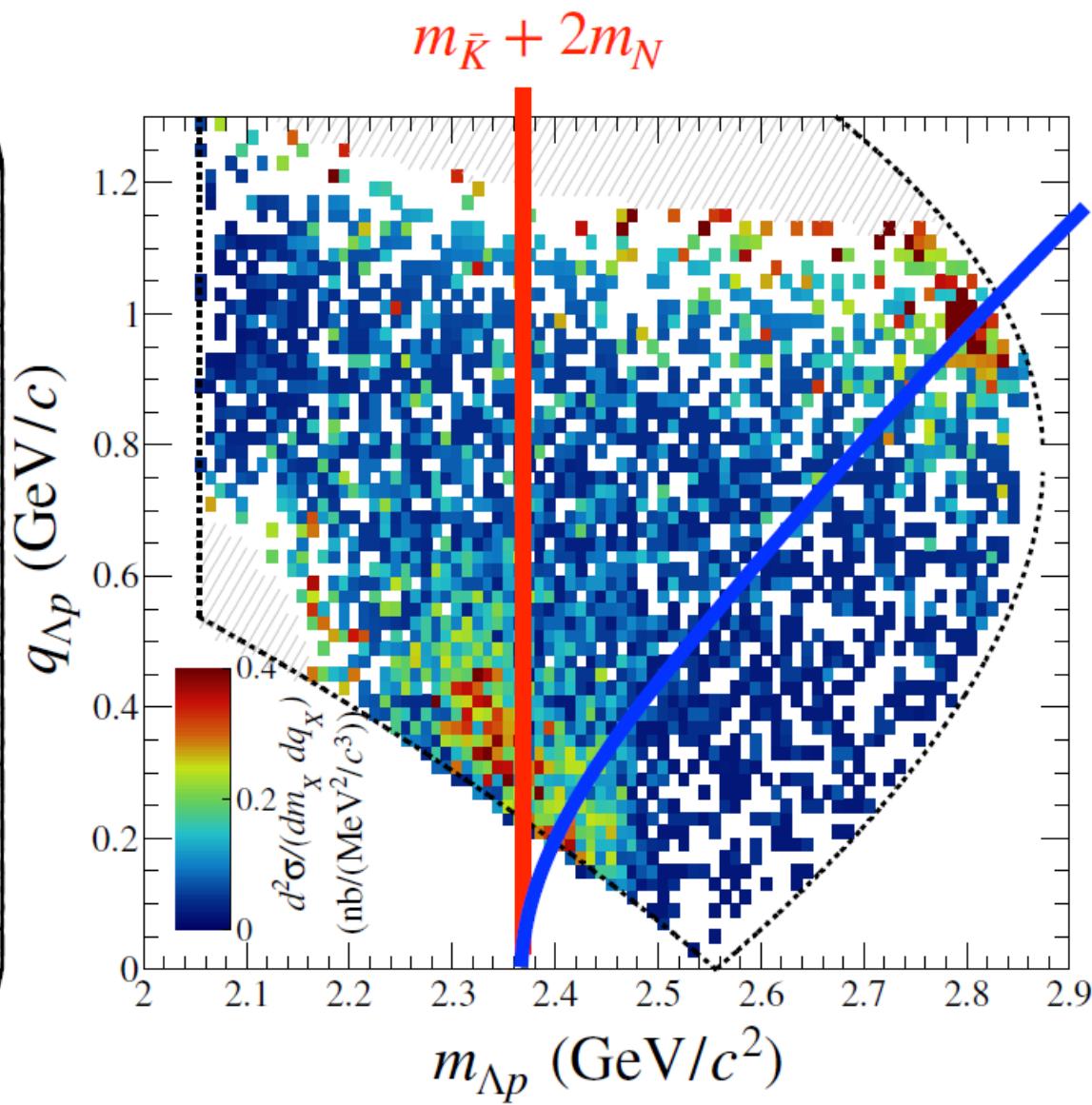
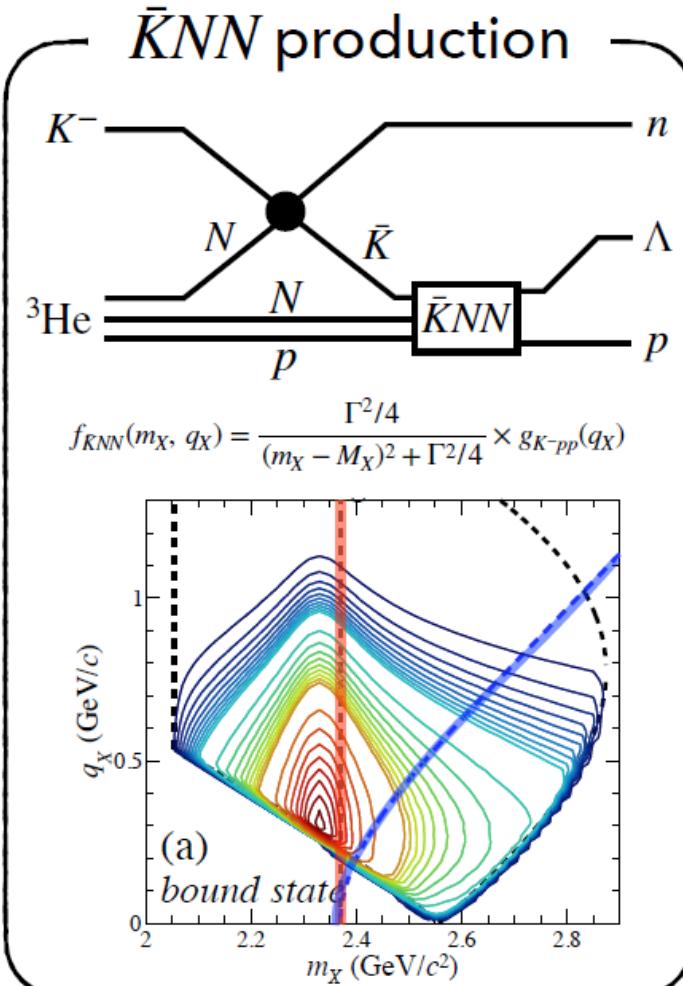
Expected spectra for $\alpha_{\Lambda p}$ measurement

8 weeks \otimes 90 kW



We would exclude $J^P = 1^-$ with 95% confidence level.
23

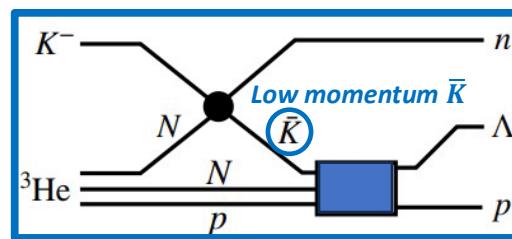
Exclusive measurement



What We Observed at E15?

- ✓ A peak structure below the mass threshold $M(Kpp)$ that does NOT depend on momentum transfer

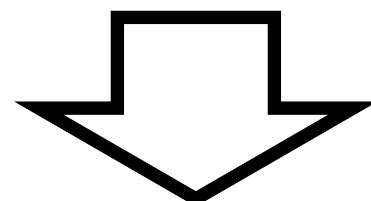
- A bound state exists
- ~ 10 times the binding energy of normal light nuclei
- Generated by large momentum transfer



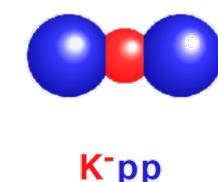
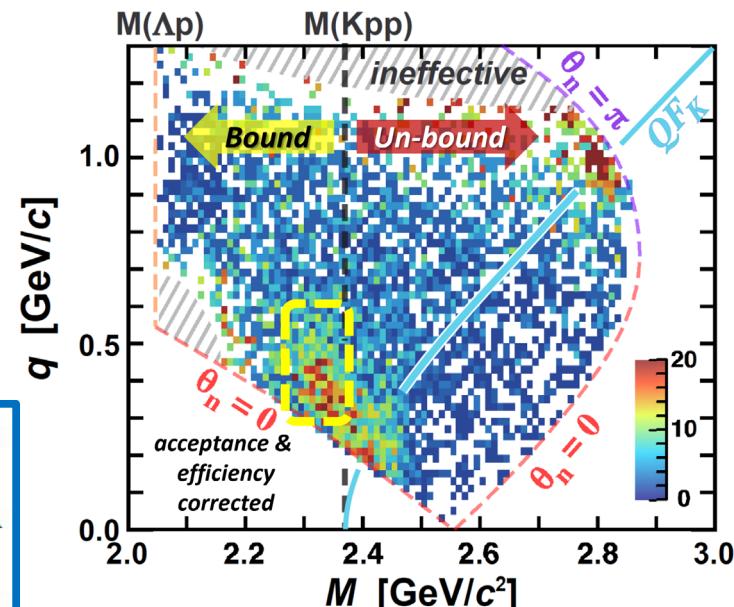
- ✓ Evidence of quasi-free K^- scattering

- An intermediate \bar{K} exists during the reaction

- ◆ Consistent with a theoretical calculation using “K-pp”



Observed structure = “K-pp” bound state



$K^- {}^4He \rightarrow \Lambda dn$ Analysis with the T77 Data

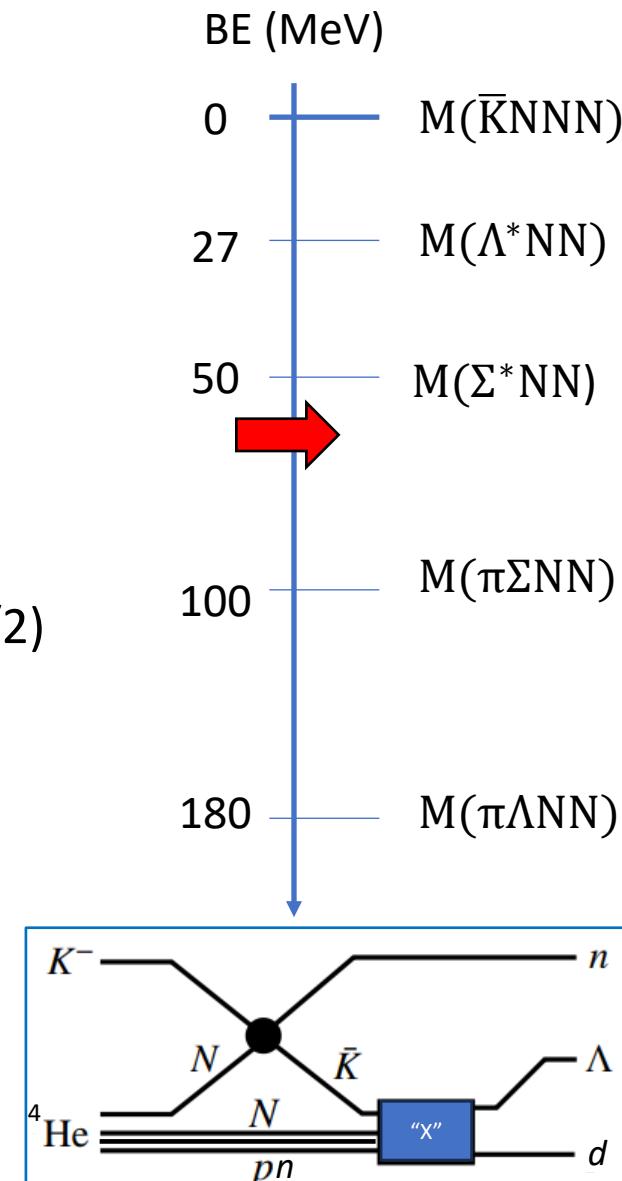
What is the observed structure?

1. "X" $\rightarrow \Lambda d$ decay mode is unique evidence of $I_{\text{"X"}} = 0$

- $I(J^P) : \Lambda = 0(1/2^+), d = 0(1^+), K^- = 1/2(0^-), {}^3He = 1/2(1/2^+), {}^4He = 0(0^+)$

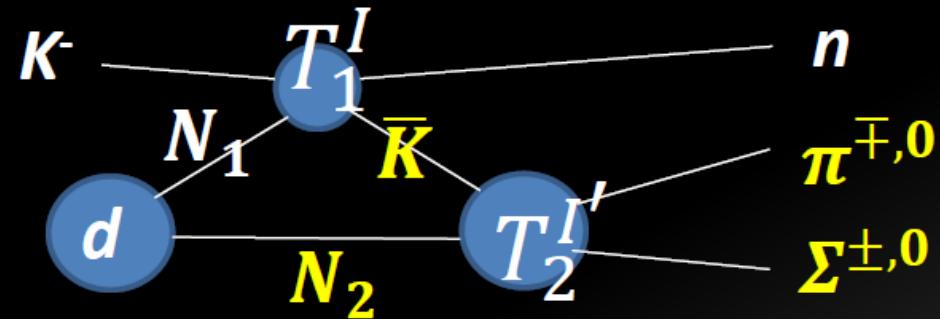
2. "X" = "K⁻ppn" with $J_{\text{"X"}} = 1/2$ would be likely

- $J_{\text{"X"}} = 1/2$:
 - 4He initial state is $I(J) = 0(0)$, and remaining "NNN" would be $I(J) = 1/2(1/2)$
 - low-momentum intermediate \bar{K} would react with "NNN" in S-wave
- **Exclusion of "X" = "Y*(I=1)NN":**
 - "NN" is $I(J) = 1(0)$
 - "Y*(I=1)NN" $\rightarrow \Lambda d$ decay would be suppressed
 - ✓ spin/isospin flip is needed to reconfigure "NN" into "d" [$I(J) = 0(1)$]
 - ✓ Λpn decay would be dominant for "Y*(I=1)NN"



Extracting Scattering Amplitude

- 2-step process



$$\begin{aligned} \frac{d\sigma}{dM_{\pi\Sigma}} \Big|_{\theta_n=3^\circ} &\sim | \left\langle n\pi\Sigma \left| T_2^{I'} (\bar{K}N_2 \rightarrow \pi\Sigma) G_0 T_1^I (K^-N_1 \rightarrow \bar{K}n) \right| K^- \Phi_d \right\rangle |^2 \\ &\sim \left| T_2^{I'} (\bar{K}N \rightarrow \pi\Sigma) \right|^2 F_{\text{res}}(M_{\pi\Sigma}) \end{aligned}$$

Factorization Approximation

$$F_{\text{res}}(M_{\pi\Sigma}) \sim \left| \int_0^\infty dq_{N_2}^3 T_1^I \frac{1}{E_{\bar{K}} - E_{\bar{K}}(q_{\bar{K}}) + i\epsilon} \Phi_d(q_{N_2}) \right|^2, q_{\bar{K}} + q_{N_2} = q_{\pi\Sigma}$$

E31: Response Function, $F_{\text{res}}(M_{\pi\Sigma})$

- $$F_{\text{res}}(M_{\pi\Sigma}) = \left| \int G_0(q_2, q_1) T_1 \Phi_d(q_2) d^3 q_2 \right|^2$$
 - $$G_0(q_2, q_1) = \frac{1}{q_0^2 - q'^2 + i\varepsilon} f(q_0, q') \frac{\left(\sqrt{P_{\pi\Sigma}^2 + M_{\pi\Sigma}^2} + \sqrt{P_{\pi\Sigma}^2 + W(q')^2} \right)}{M_{\pi\Sigma} + W(q')}$$

$$f(q_0, q')^{-1} = [E_1(q_0) + E_1(q')]^{-1} + [E_2(q_0) + E_2(q')]^{-1}$$

Miyagawa and Haidenbauer, PRC85, 065201(2012)
 - $T_1: K^- n \rightarrow K^- n \ (I = 1), K^- p \rightarrow \bar{K}^0 n (I = 0, 1)$ amplitude,

Gopal et al., NPB119, 362(1977)

 - $T_1(K^- n \rightarrow K^- n) = f(I = 1)$
 - $T_1(K^- p \rightarrow \bar{K}^0 n) = [f(I = 1) - f(I = 0)]/2$

Off-shell treatment :See eq.(17) in PRC94, 065205

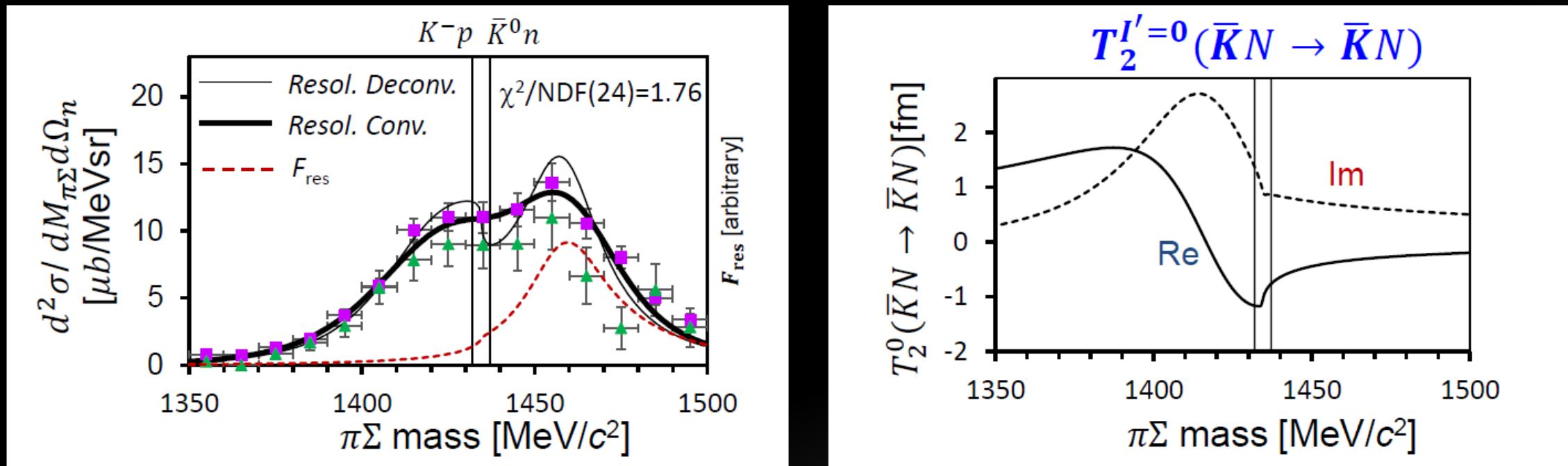
- $\Phi_d(q_2)$: deuteron wave function, **PRC63, 024001(2001)**

$\bar{K}N$ Scattering Amplitude

L. Lensniak, arXiv:0804.3479v1(2008)

- $T_2^{I'}(\bar{K}N \rightarrow \bar{K}N) = \frac{\textcolor{red}{A}}{1-i\textcolor{red}{A}k_2+\frac{1}{2}\textcolor{red}{A}\textcolor{blue}{R}k_2^2}$
 - $T_2^{I'}(\bar{K}N \rightarrow \pi\Sigma) = \frac{1}{\sqrt{k_1}} e^{i\delta_0} \frac{\sqrt{Im\textcolor{red}{A}-\frac{1}{2}|\textcolor{red}{A}|^2 Im\textcolor{blue}{R}k_2^2}}{1-iAk_2+\frac{1}{2}\textcolor{red}{A}\textcolor{blue}{R}k_2^2}$
 - $T_2^{I'}(\pi\Sigma \rightarrow \pi\Sigma) = \frac{e^{i\delta_0} \left(\sin \delta_0 + iIm(e^{-i\delta_0} A)k_2 - \frac{1}{2}Im(e^{-i\delta_0} AR)k_2^2 \right)}{1-iAk_2+\frac{1}{2}\textcolor{red}{A}\textcolor{blue}{R}k_2^2}$
 - 5 real number parameters (effective range expansion)
 - A : scattering length, R : effective range, δ_0 : phase
- $T_{11} = k_2 T_2^{I'}(\bar{K}N \rightarrow \bar{K}N),$
 $T_{12} = \sqrt{k_1 k_2} T_2^{I'}(\bar{K}N \rightarrow \pi\Sigma),$
 $|T_{11}|^2 + |T_{12}|^2 = Im T_{11},$
 $S = I + 2iT,$

Best fit $\bar{K}N$ scattering amplitude



A pole at $(1417.7^{+6.0+1.1}_{-7.4-1.0}) + (-26.1^{+6.0+1.7}_{-7.9-2.0})i$ MeV/c²

$$\left|T_2^{I'=0}(\bar{K}N \rightarrow \bar{K}N)\right|^2 / \left|T_2^{I'=0}(\bar{K}N \rightarrow \pi\Sigma)\right|^2 = 2.2^{+1.0+0.3}_{-0.6-0.3}$$

$$\mathbf{A}^{I'=0} = (-1.12 \pm 0.11^{+0.10}_{-0.07}) + i(0.84 \pm 0.12^{+0.08}_{-0.07}) \text{ fm}$$

$$\mathbf{R}^{I'=0} = (-0.18 \pm 0.31^{+0.08}_{-0.06}) + i(0.41 \pm 0.13^{+0.09}_{-0.09}) \text{ fm}$$

*best fit value \pm fitting error \pm systematic error

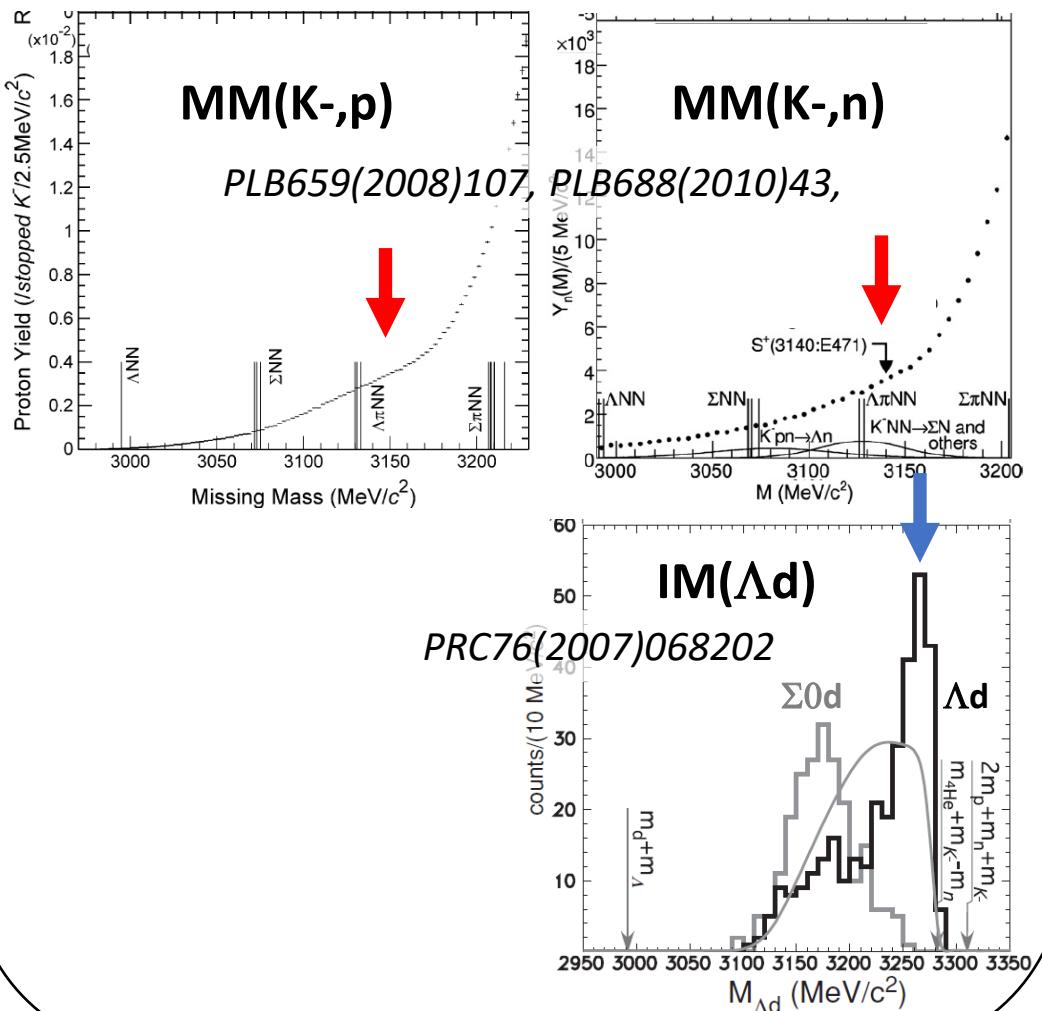
systematic errors assuming the K-p/K⁰n mass threshold



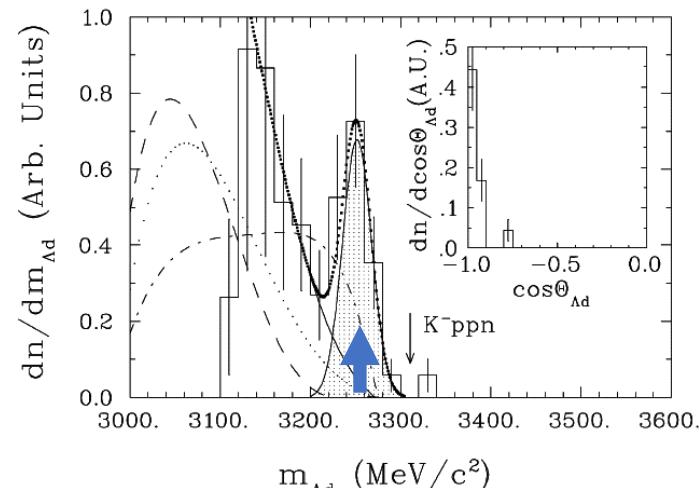
$\bar{K}NNN$ Searches so far

E471/E549@KEK

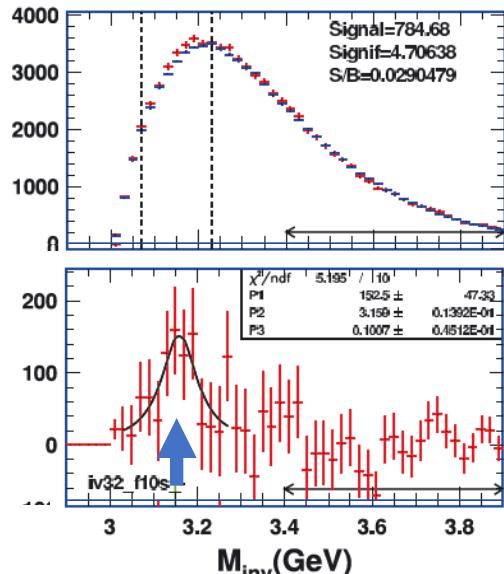
$^4\text{He}(\text{stopped-}\bar{\text{K}}, \text{p/n}/\text{Yd})$



FINUDA@DAΦNE
 $\text{Li/C(stopped-}\bar{\text{K}}, \Lambda\text{d)}$



FOPI@GSI
 Λd in Ni+Ni



No conclusive results.

multi-N absorption in stopped-K reaction makes interpretation difficult

Acceptance for $K^- + ^4\text{He} \rightarrow \Lambda d n$

